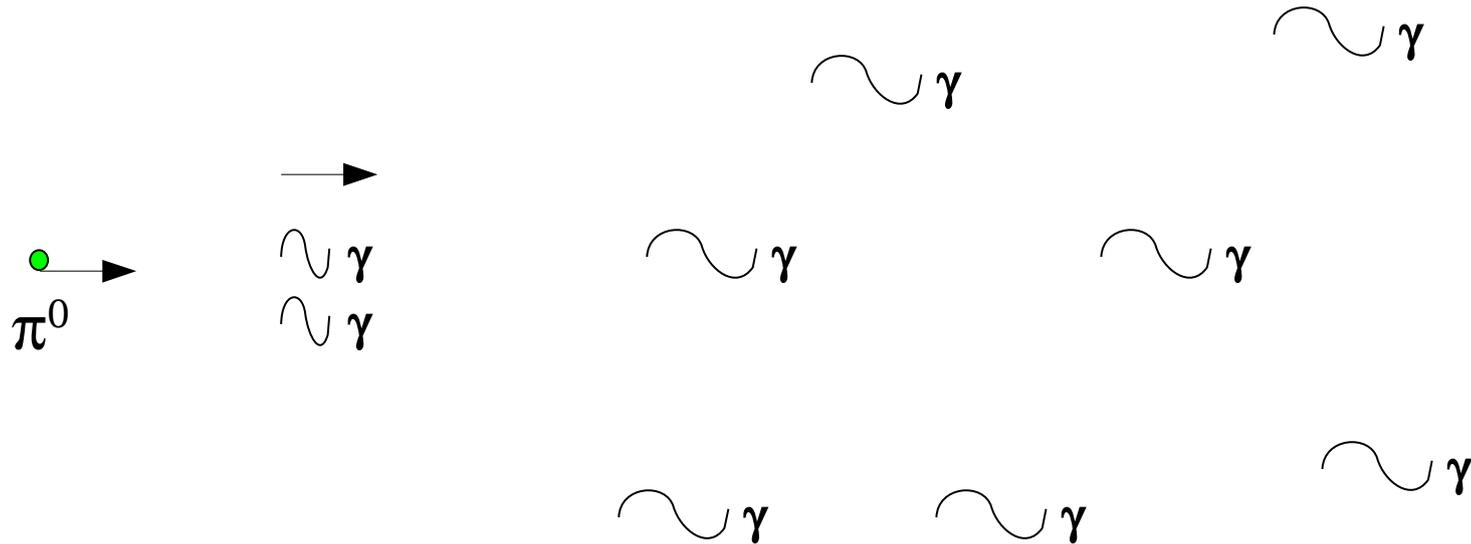


# PHOTONS: High Energy Photon Flux Production and Propagation



# LECTURE PLAN:

1) COSMIC RAYS- proton interactions with photons, composition, nuclei interactions with photons, different photon targets

2) NEUTRINOS- presence of GZK-cutoff, photo-pion production mechanism, interaction rate, cosmic ray spectra, source distribution

**3) PHOTONS- photon flux production, photon flux attenuation, competition of rates,  $e/\gamma$  cascades**

**4) MULTIMESSENGER**

**APPROACH**

Andrew  
Taylor

# What Percentage of Cosmic Rays are Expected to be Photons? ( $>10^{18}$ eV)



Dan Hooper



Subir Sarkar



Paolo Coppi

# Aims

- 1) High Energy photon production through cosmic ray interactions
- 2) Difficulties for a high energy photon in the Universe
- 3) A comparison of proton and photon propagation through extragalactic space
- 4) The photon/proton ratio expected at Earth
- 5) What energy does the electron get?
- 6) What happens to the electron energy?

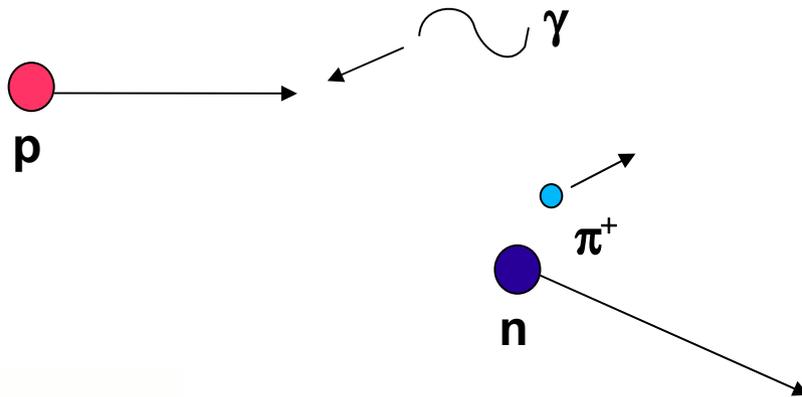
EM Showers

# 1) Photon Production

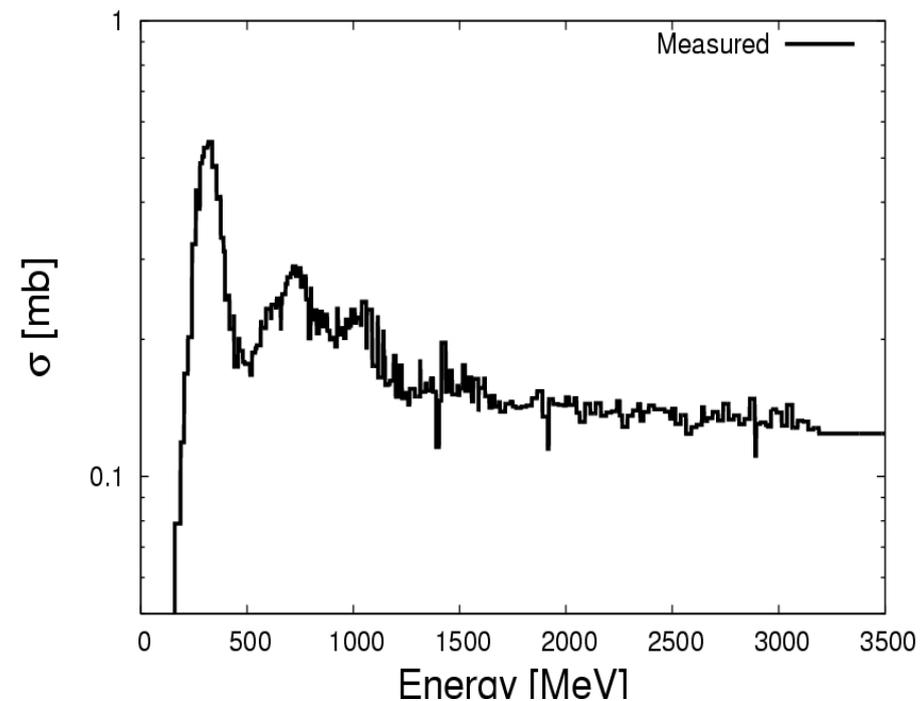
# Why any Cosmic Rays should be Photons?

## Charged Pion production interaction with CMB $\gamma$

For  $E_{\text{proton}} > 10^{19.6}$  eV



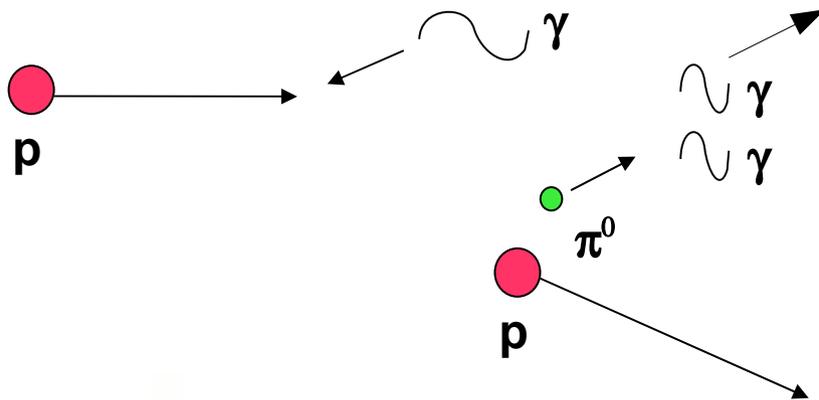
(photon energy in proton frame)



# Why any Cosmic Rays should be Photons?

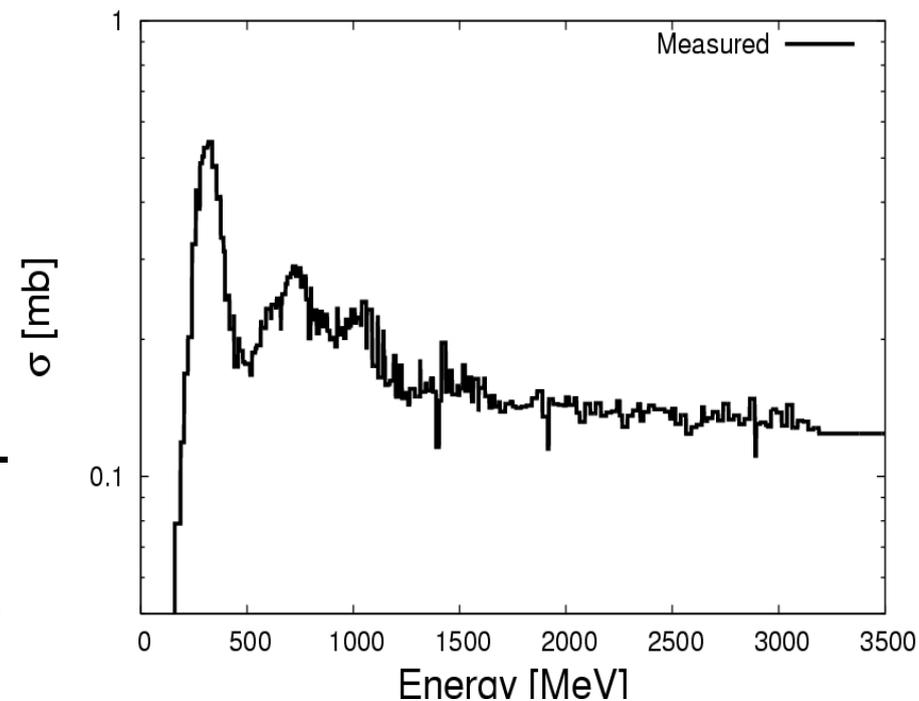
## Neutral Pion production interaction with CMB $\gamma$

For  $E_{\text{proton}} > 10^{19.6}$  eV



From isospin considerations for the Delta-resonance decay, neutral pions are twice as likely to be produced as charged pions

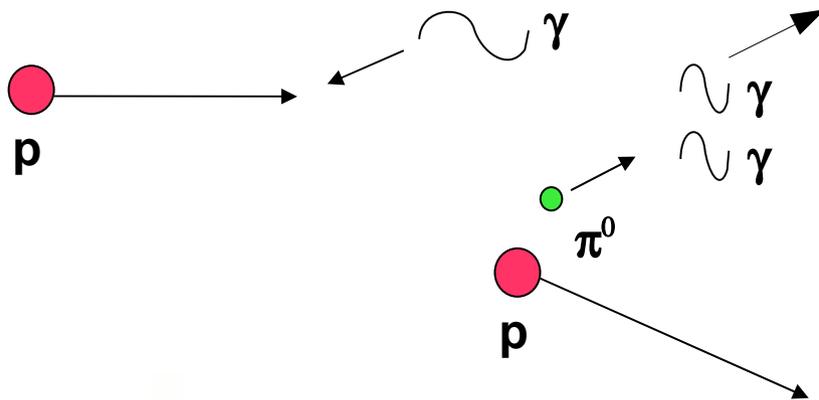
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# Why any Cosmic Rays should be Photons?

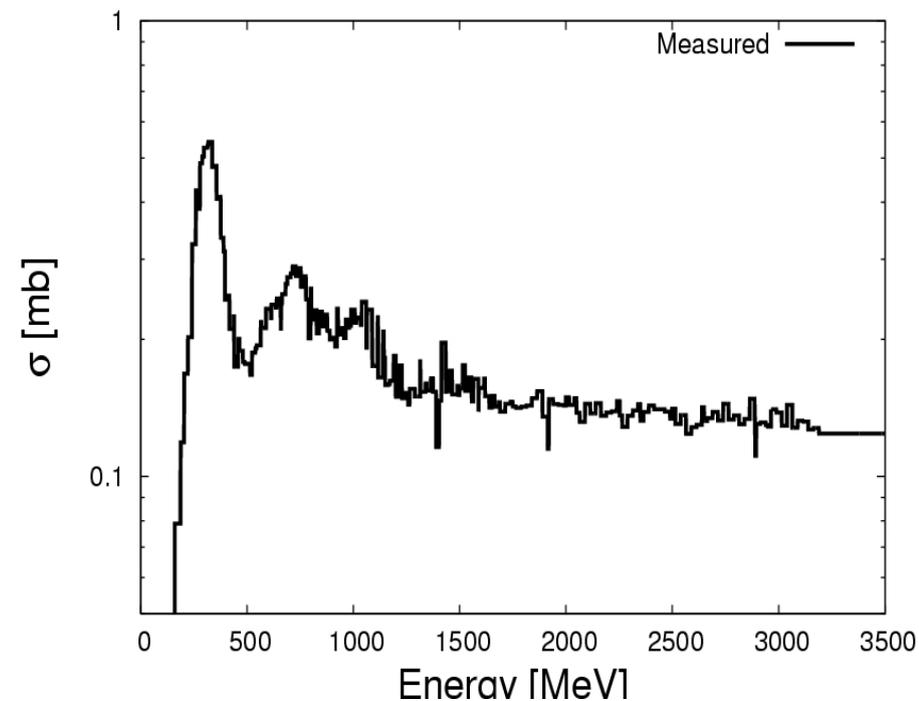
## Neutral Pion production interaction with CMB $\gamma$

For  $E_{\text{proton}} > 10^{19.6}$  eV



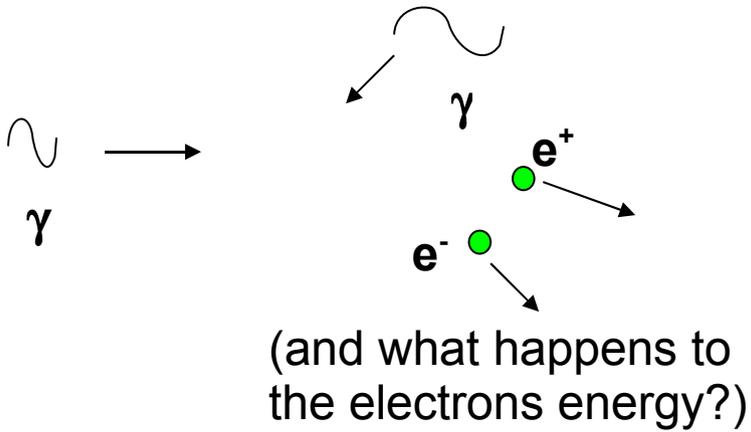
However, close to threshold, where direct pion production dominates, charged pion production is more likely

(photon energy in proton frame)

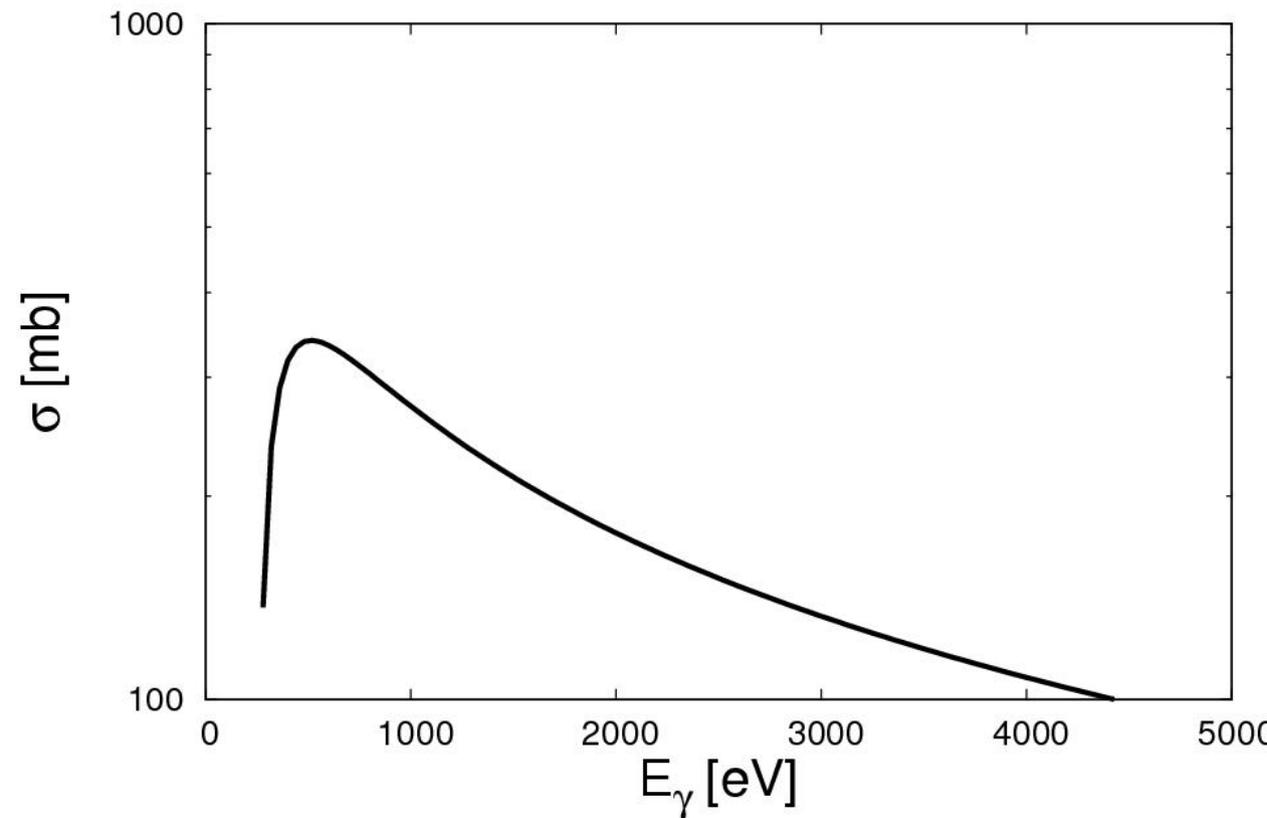


## 2) The Struggles of the Photon

# Why aren't most Cosmic Rays Photons above $10^{19.6}$ eV?

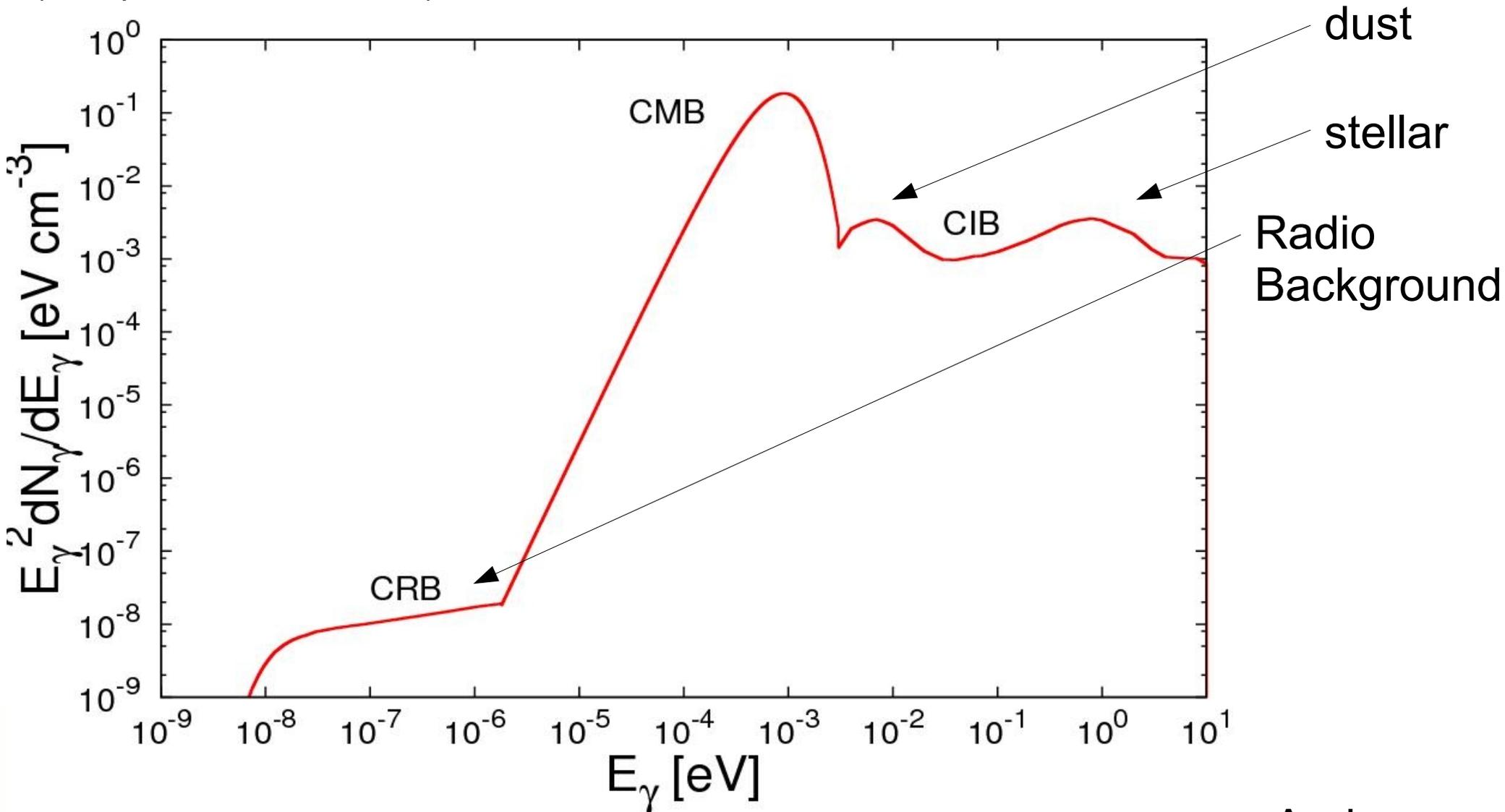


(photon energy in lab frame- for a GeV photon)



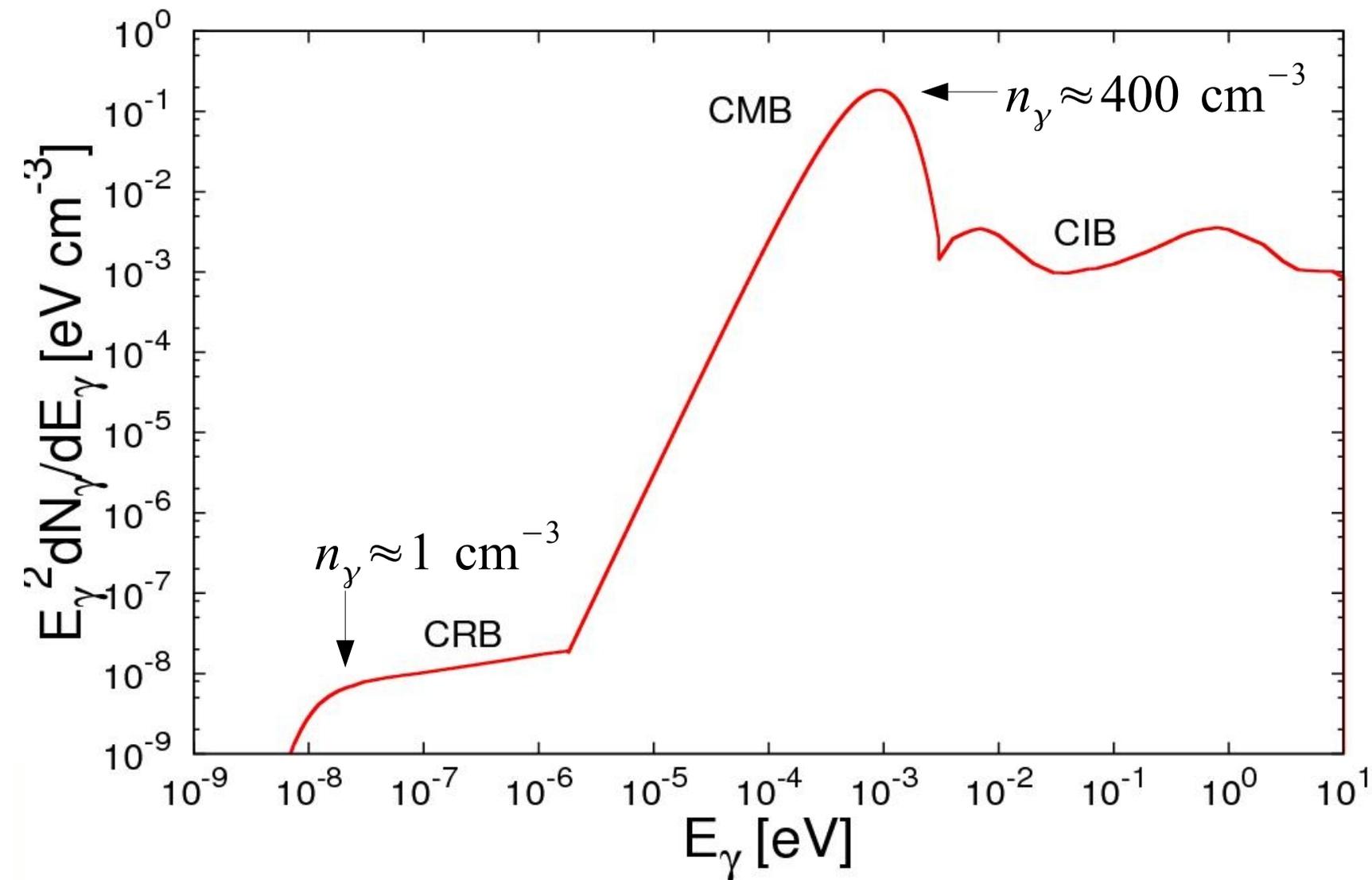
# Uncertainties in the Radio Background

(the spanner in the works)



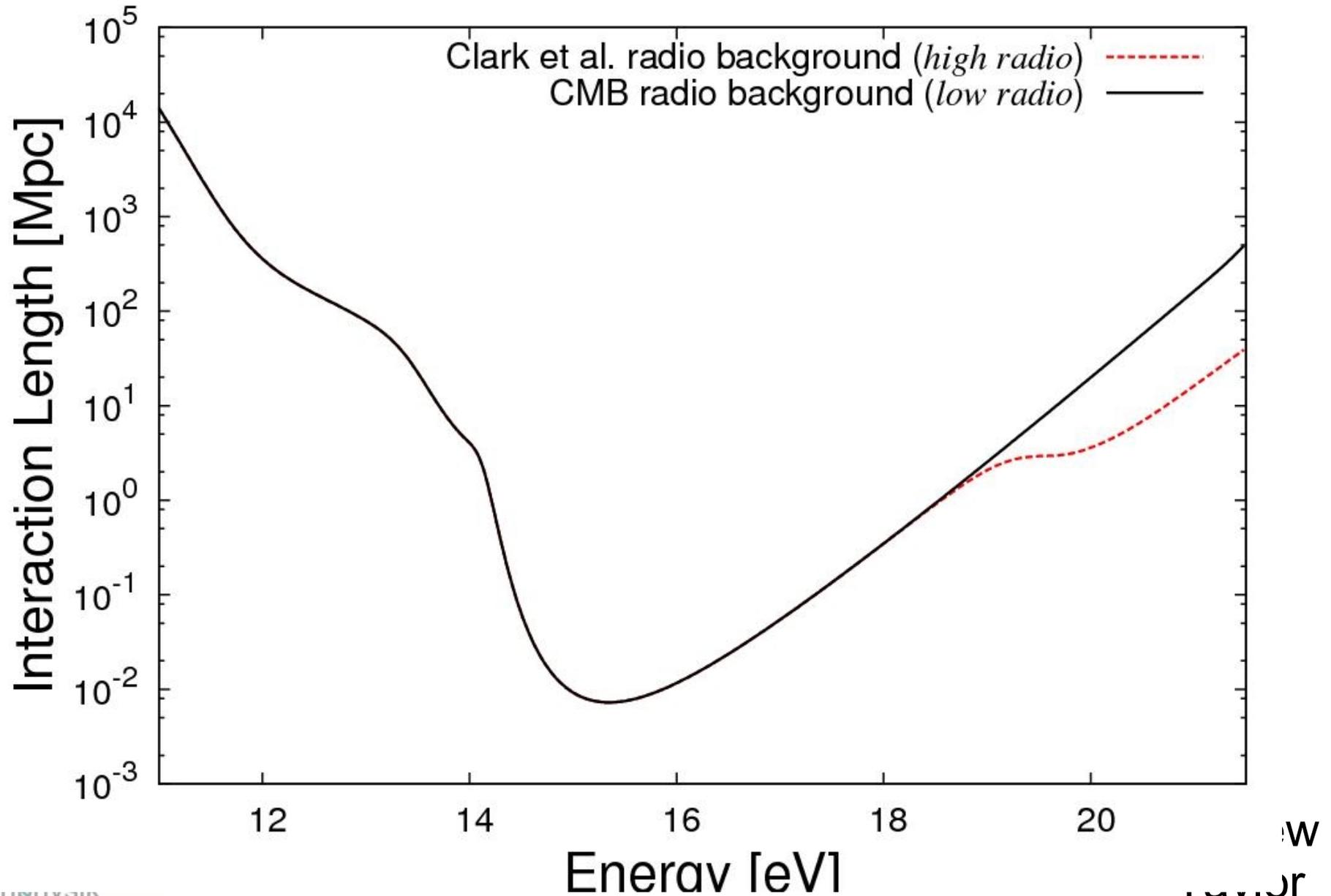
# Uncertainties in the Radio Background

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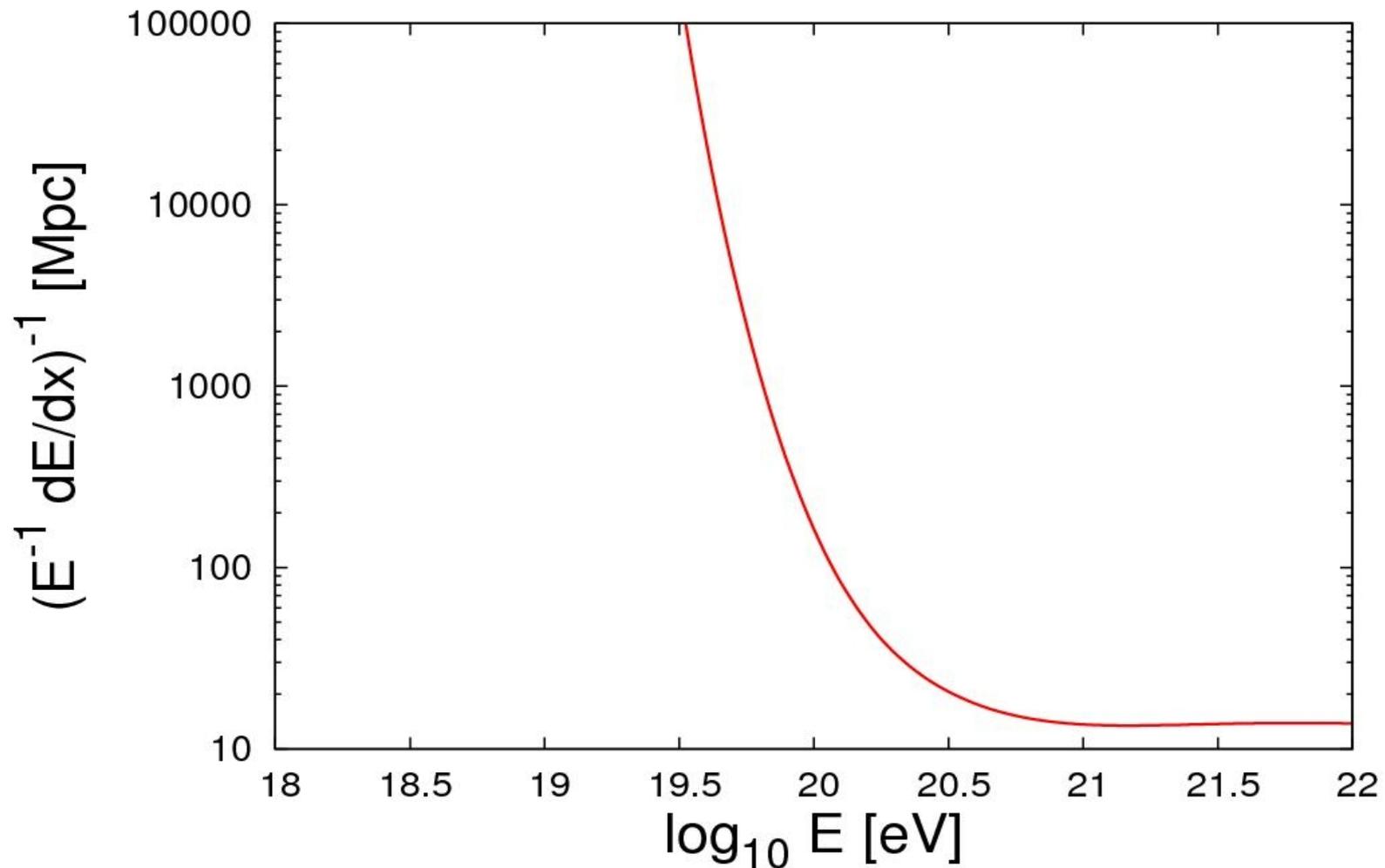
# 3) Photon and Proton Attenuation Rates

# Photon (Cosmic Ray)- Photon (CMB) Interaction Lengths

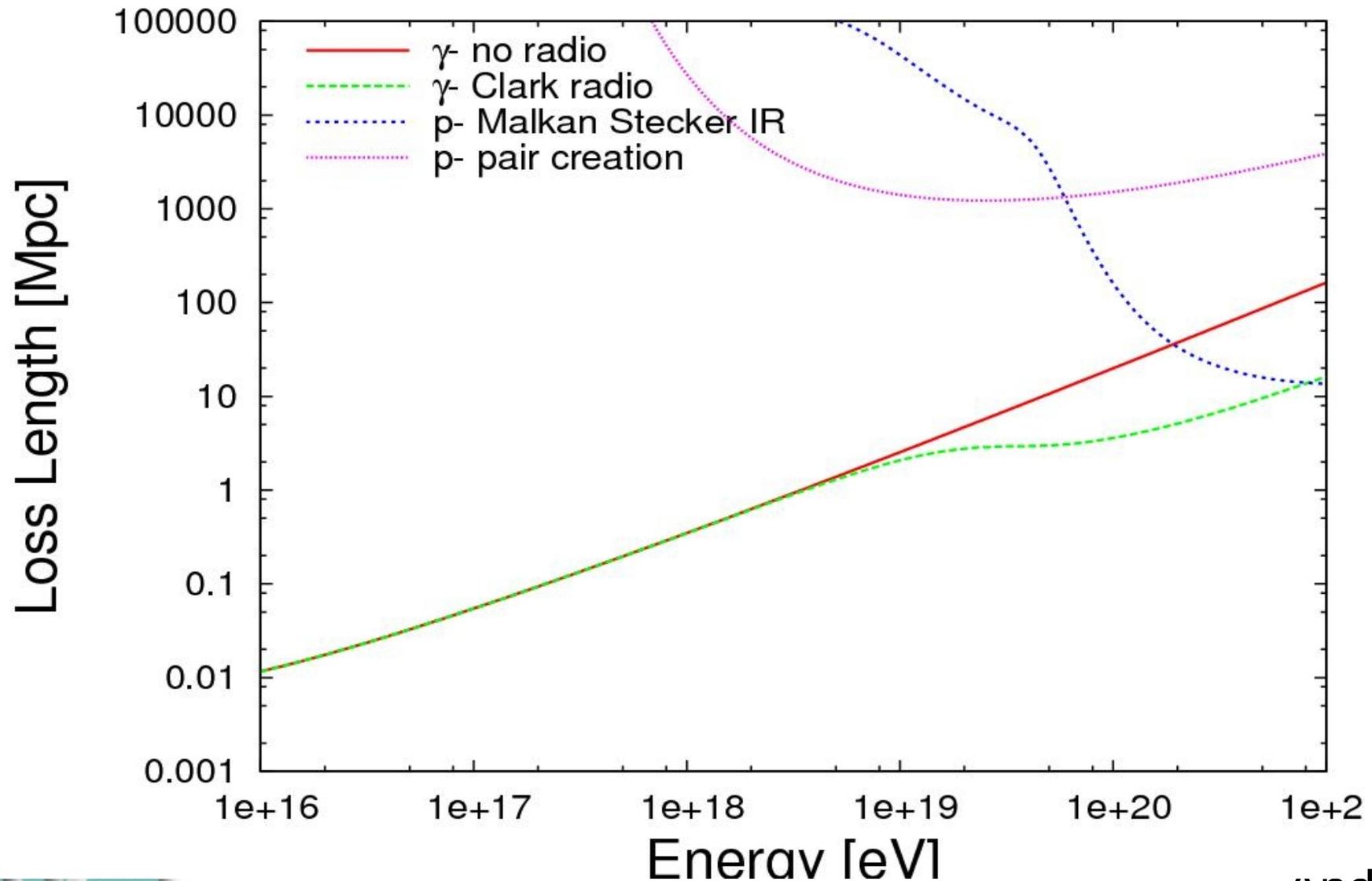


# Proton (Cosmic Ray)- Photon (CMB) Loss Lengths

$$R = \frac{m_p^2 c^4}{2E^2} \int_0^\infty d\epsilon \frac{n(\epsilon)}{\epsilon^2} \int_0^{2E\epsilon/m_p c^2} d\epsilon' \epsilon' \sigma_{p\gamma}(\epsilon') K_p \quad (\text{where } R \text{ is the energy loss rate})$$

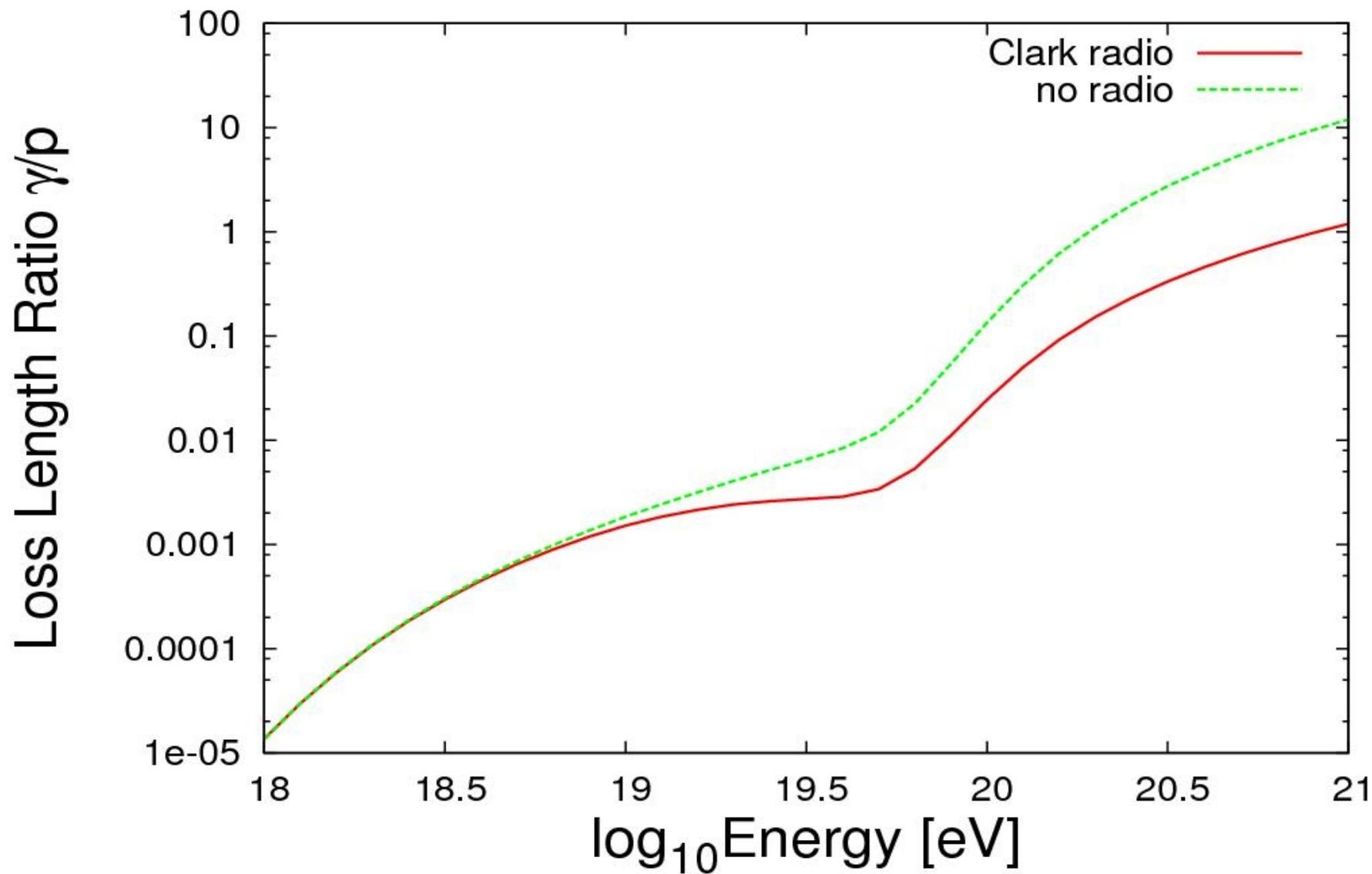


# A Comparison of the Photon and Proton Loss Lengths



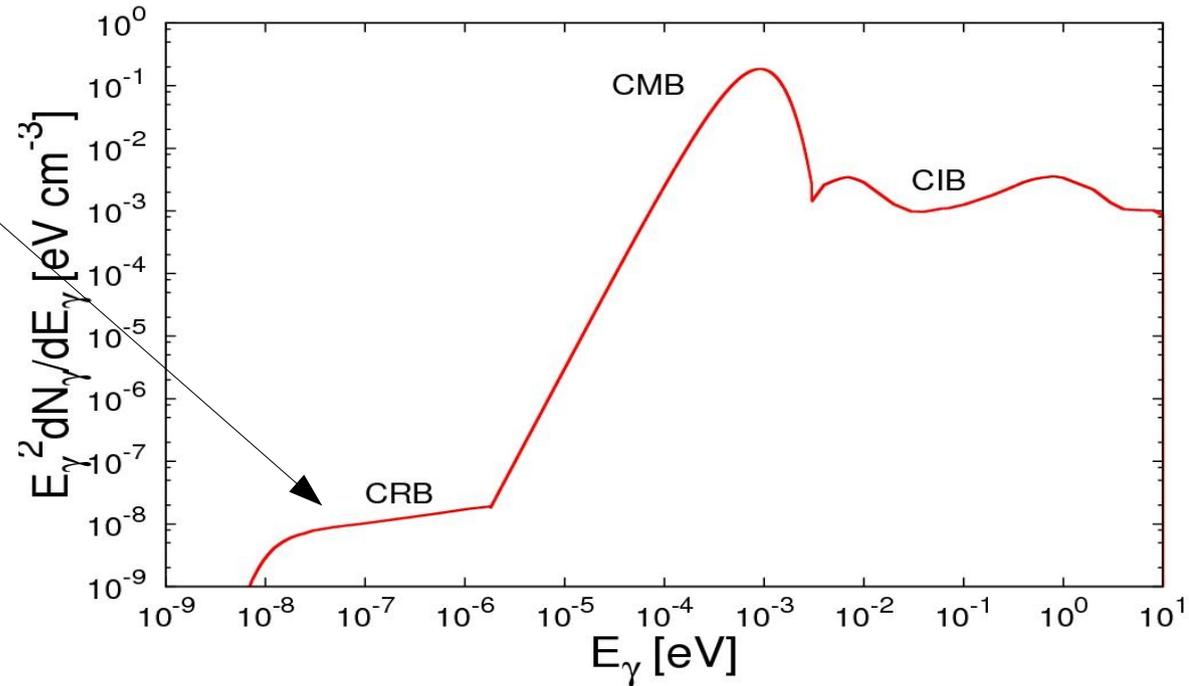
# 4) The Photon/Proton Ratio at Earth

# The Photon/Proton Loss Length Ratio



# Assuming.....

1) A large radio background  
( $U_B = 10^{-8} \text{ eV cm}^{-3}$ )

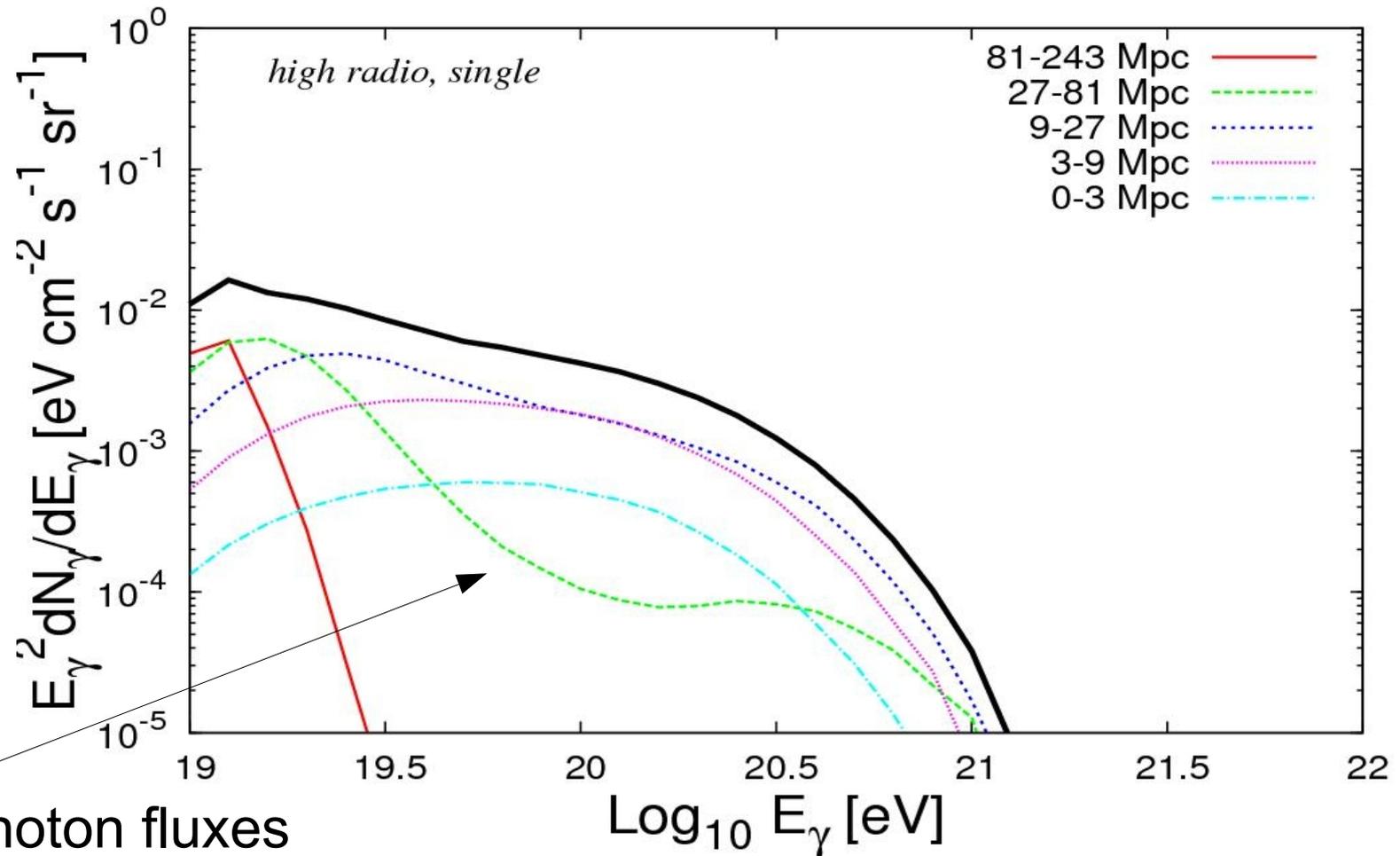


2) A single pair production interaction occurs **only**  
(synchrotron losses dominate electron cooling)

3) A uniform distribution of the cosmic ray sources locally  
(in the  $< 300 \text{ Mpc}$  region)

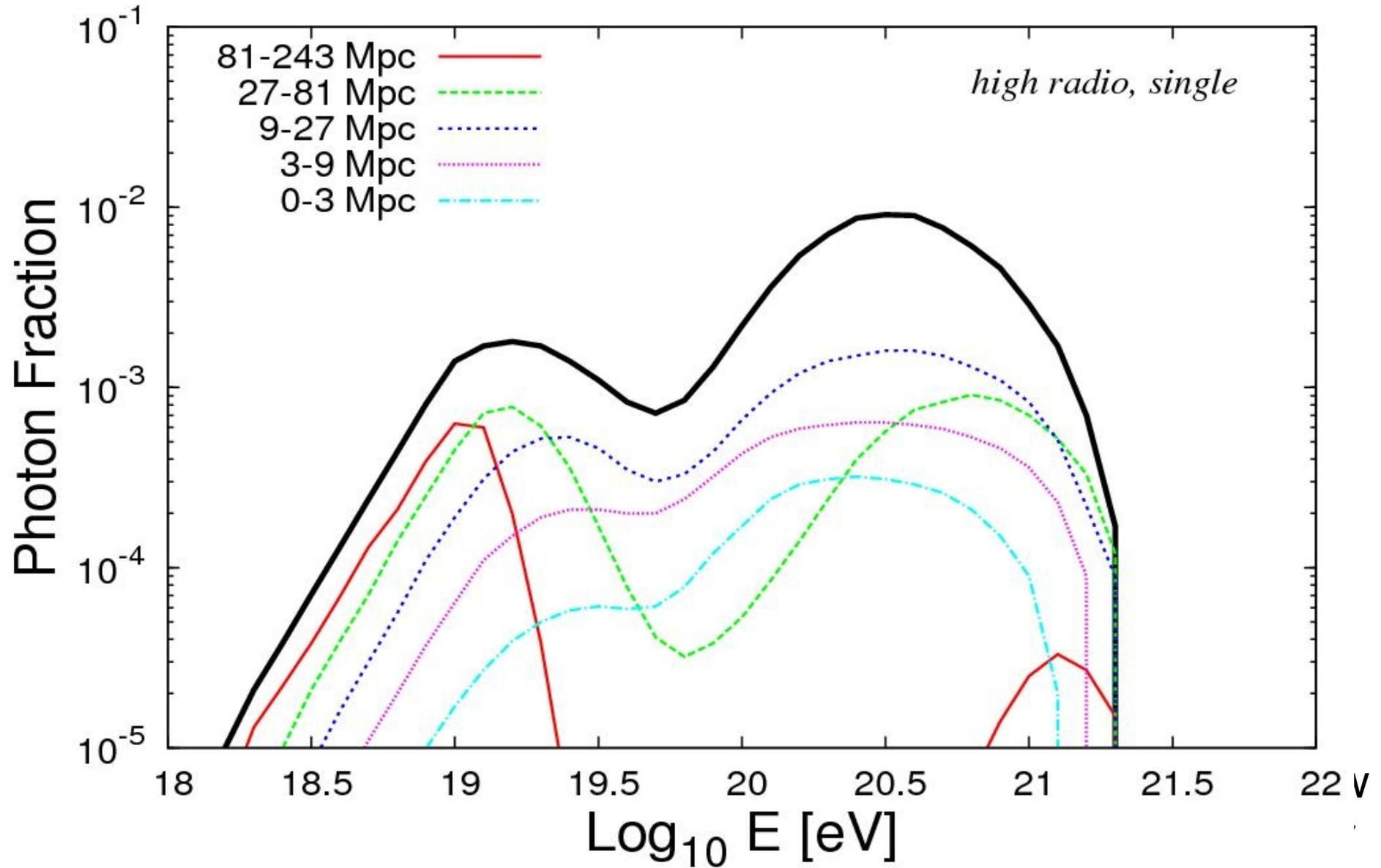
Andrew  
Taylor

# The Photon Flux



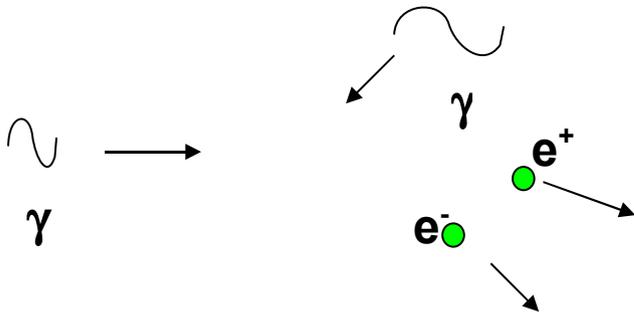
dip feature in photon fluxes  
from more distant shells

# The Photon Fraction

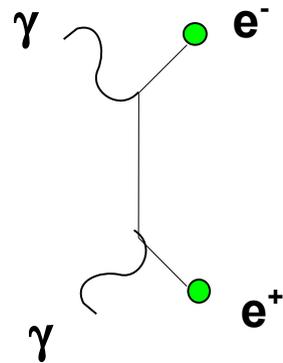


**5) What energy does the electron get?**

# Pair Production Physics



Pair Production:

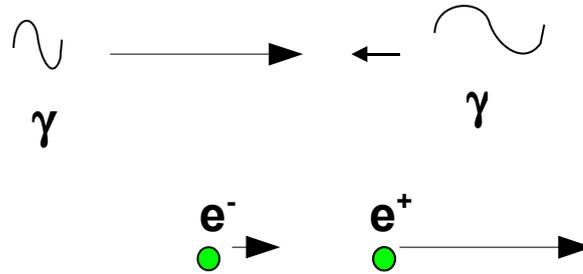


In center-of-mass frame,  
electron/positron pair are produced with  
equal energy

Andrew  
Taylor

# Pair Production Physics (2)

But, boosting back from the center-of-mass frame to lab frame, one of the electron's tends to take nearly all the energy.



**Let,**

$$s = \frac{E_\gamma E_\gamma^{bg}}{(m_e c^2)^2}$$

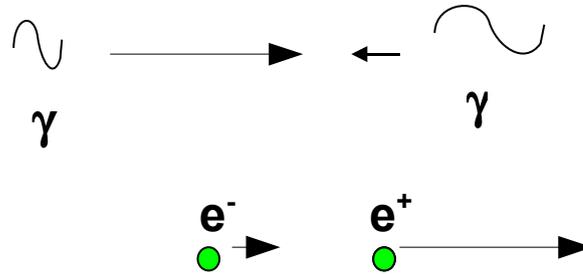
(the squared center-of-mass energy of the collision)

$$E_e = \Gamma (1 + \beta) E_e^{cm} = \Gamma \sqrt{s} \quad \longrightarrow \quad E_e^{cm} = \frac{\sqrt{s}}{2}$$

$$E_e = \Gamma (1 - \beta) E_e^{cm} = \frac{\sqrt{s}}{2\Gamma}$$

# Pair Production Physics (2)

But, boosting back from the center-of-mass frame to lab frame, one of the electron's tends to take nearly all the energy.



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$$s = \frac{E_\gamma E_\gamma^{bg}}{(m_e c^2)^2}$$

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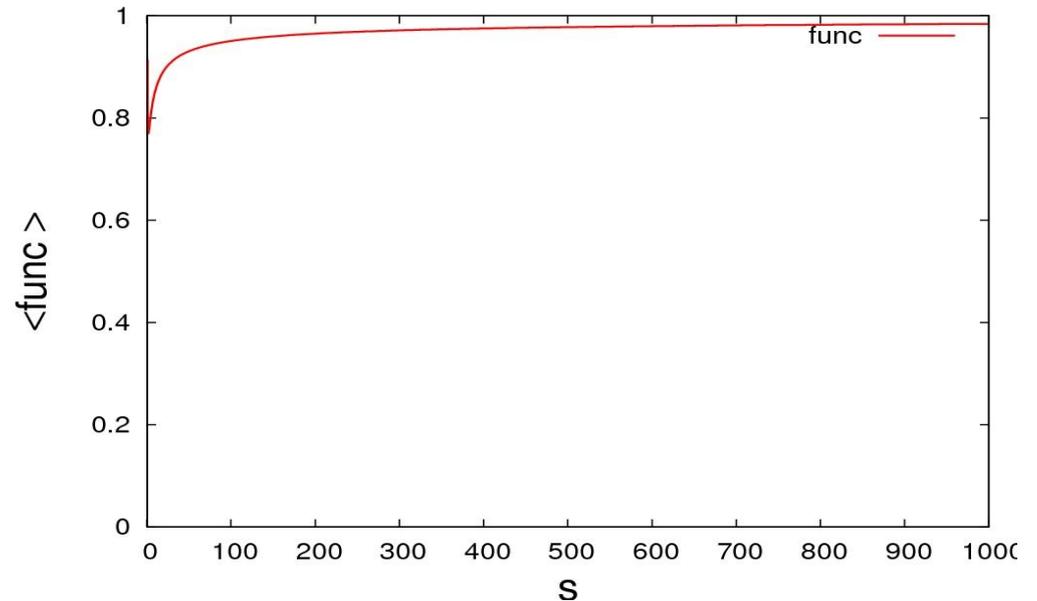
$$E_e = \Gamma (1 + \beta) E_e^{cm} = \Gamma \sqrt{s}$$

$$\Gamma \approx \frac{E_\gamma}{\sqrt{s}}$$

$$E_e = \Gamma (1 - \beta) E_e^{cm} = \frac{\sqrt{s}}{2\Gamma}$$

# Pair Production Physics (3)

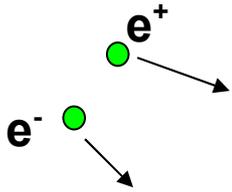
So, 
$$\frac{E_e}{E_\gamma} = \frac{4s-1}{4s} f(s)$$



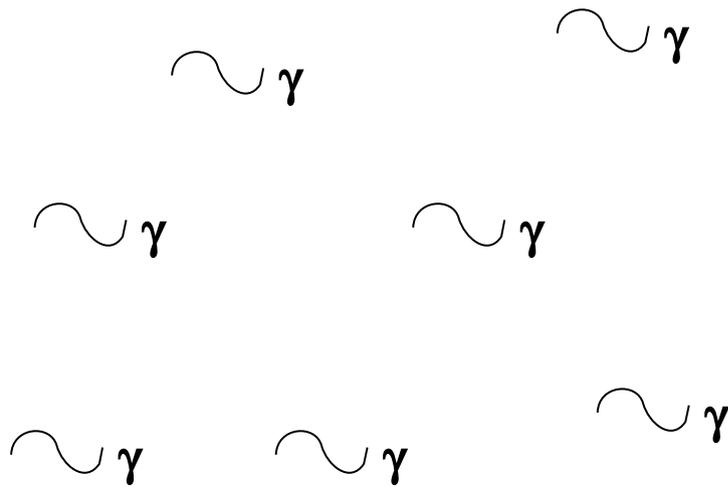
At large center-of-mass energies (“s”), one of the electrons produced via pair production carries most of the energy

## 6) What happens to the electron energy?

# What Happens to the Electron Energy?

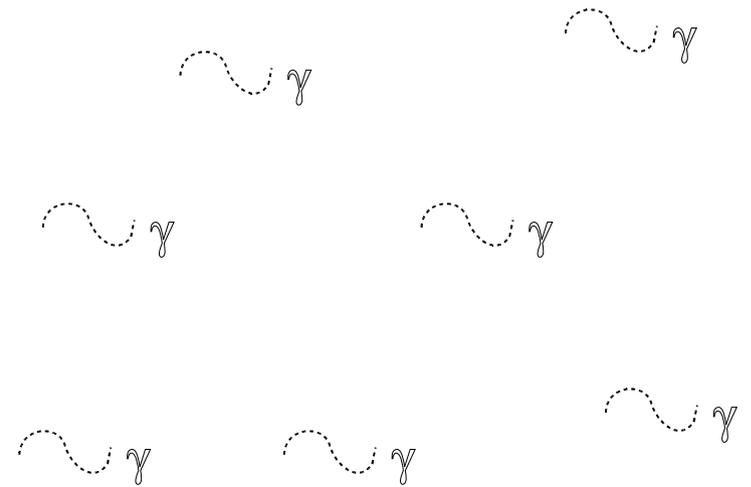


Photon Background



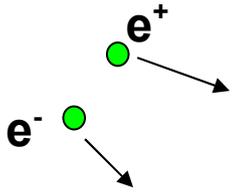
$$U_{\gamma}^{CMB} = 0.25 \text{ eV cm}^{-3}$$

Magnetic Field

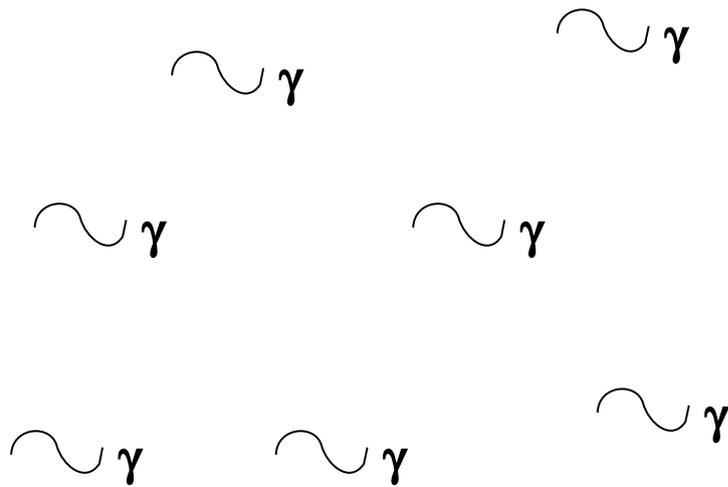


$$U_B = 10^{-8} \text{ eV cm}^{-3} \text{ Andrew Taylor}$$

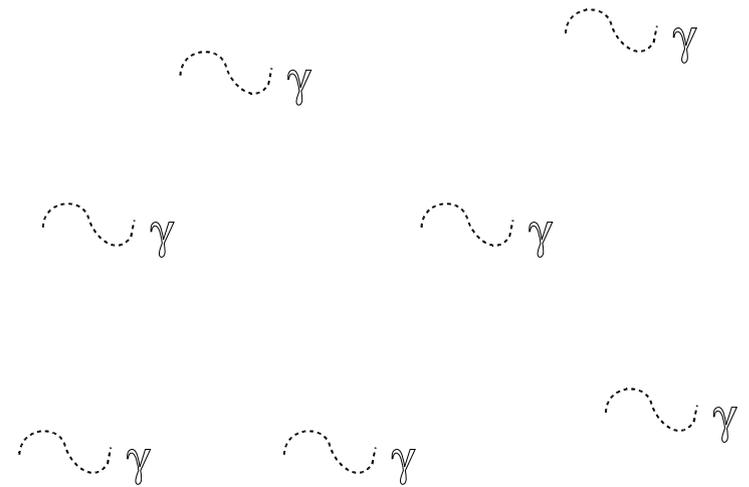
# What Happens to the Electron Energy?



Photon Background



Magnetic Field



$$U_{\gamma}^{CMB} = 0.25 \text{ eV cm}^{-3}$$

$$U_B = 10^{-8} \text{ eV cm}^{-3}$$

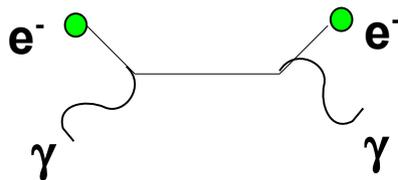
$$\longrightarrow B = 3 \times 10^{-10} \text{ G}$$

# What Happens to the Electron Energy?

2 options for electron interactions:

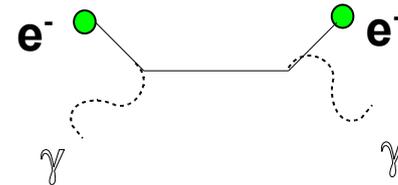
## Photon Background

Inverse Compton Scattering:



## Magnetic Field

Synchrotron:



# Competition of Processes

Both interactions are described by similar physics:

energy density of scattering field

If **Thomson** scattering  $\rightarrow \frac{dE}{dt} = \frac{4}{3} \sigma_T \Gamma^2 U$

Since

$$U_y^{CMB} = 0.25 \text{ eV cm}^{-3}$$

$$U_B = 10^{-8} \text{ eV cm}^{-3}$$

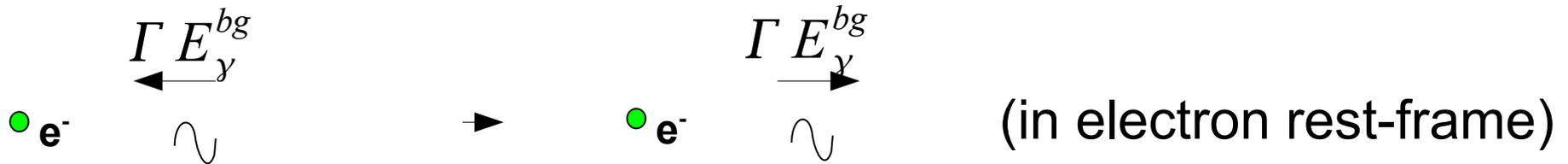
Naively IC should win! ....but is the scattering in the **Thomson** regime?

# Thomson Regime

For **Thomson scattering**, assumption is that the photon in the electron's frame has its momentum reversed- ie. it's the center-of-mass frame!

Applies when,  $\Gamma E_\gamma^{bg} < m_e c^2$

Thompson scattering (underlying assumption)



$$E_\gamma = \frac{4}{3} \Gamma^2 E_\gamma^{bg}$$

# Synchrotron Photons

Treating magnetic field as a virtual photon field,

$$E_y^{bg} = \left( \frac{B}{B_{crit}} \right) m_e c^2, \text{ where } B_{crit} \approx 4 \times 10^{13} \text{ G}$$

**If,**  $B = 10^{-10} \text{ G}$

$$E_y^{bg} = 10^{-18} \text{ eV}$$

**If,**  $E_e = 10^{19} \text{ eV}, \Gamma = 2 \times 10^{13} \rightarrow \Gamma E_y^{bg} = 2 \times 10^{-6} \text{ eV (Thomson)}$

**Since,**  $E_y = \frac{4}{3} \Gamma^2 E_y^{bg}$

**The synchrotron photons get energy**

$$E_y = \frac{4}{3} \times 4 \times 10^{26} \times 10^{-18} = 5 \times 10^6 \text{ eV}$$

# Inverse Compton Photons

$$E_\gamma^{bg} = 10^{-3} \text{ eV} \quad (\text{CMB background})$$

**If,**  $E_e = 10^{19} \text{ eV}, \Gamma = 2 \times 10^{13}$

**Then,**  $\Gamma E_\gamma^{bg} = 2 \times 10^{10} \text{ eV} \longrightarrow \text{Not Thomson}$

Hence, our naïve conclusion that IC out-competes synchrotron was wrong

# When Thomson Scattering Doesn't Apply- the Klein Kishina regime

**When**  $\Gamma E_y^{bg} \geq m_e c^2$  (center of mass frame is **very different** to electron rest frame)

**Let,**  $b = \frac{4 E_e E_y^{bg}}{(m_e c^2)^2}$  (which physically represents the squared center-of-mass energy in the collision)

**Can re-write,**  $E_y = \frac{4}{3} \Gamma^2 E_y^{bg}$



$$E_y = \frac{1}{3} b E_e$$

**as**

# When Thomson Scattering Doesn't Apply- the Klein Nishina Regime

So the energy exchange is,

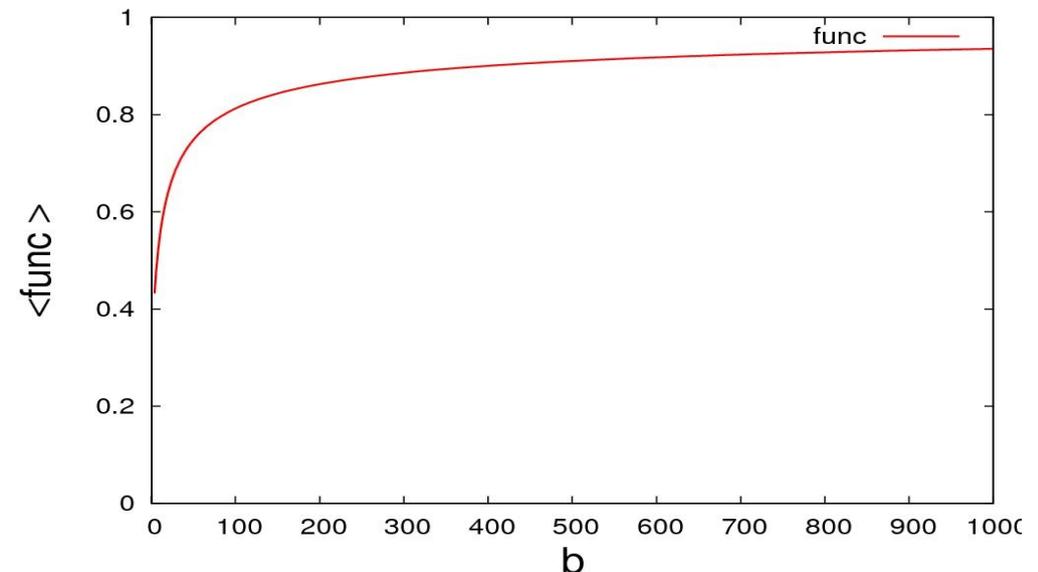
$$\frac{E_\gamma}{E_e} = \frac{b}{3}$$

**Thomson:**  $b < 1$

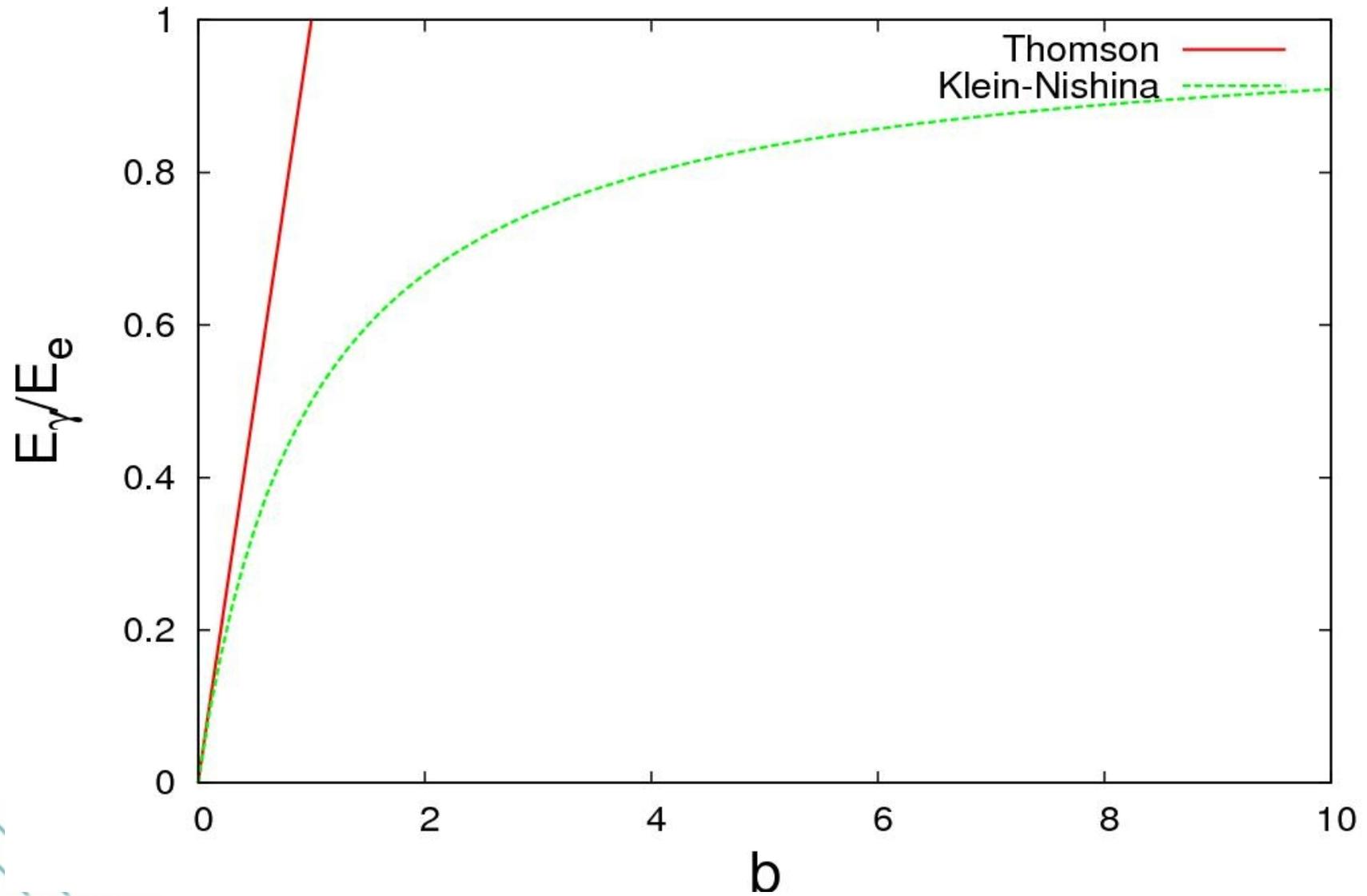
But  $\frac{E_\gamma}{E_e}$  shouldn't become larger than 1....what went wrong?

Complete description is actually,

$$\frac{E_\gamma}{E_e} = \frac{b}{(1+b)} f(b)$$



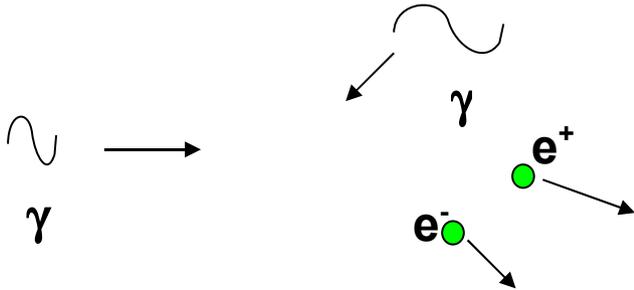
# Klein-Nishina Description



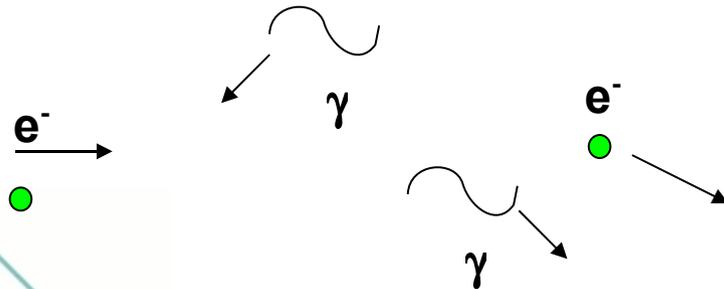
# $e/\gamma$ Cascades

The repetition of **2 processes**:

## 1) Pair Production

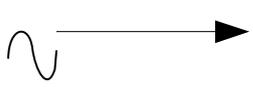


## 2) Inverse Compton

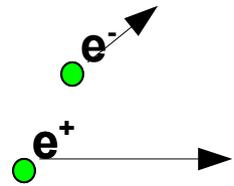


# Leading Particle Description

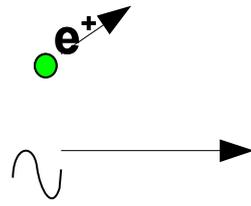
$$E_\gamma = 10^{19} \text{ eV}$$



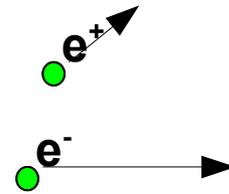
5 Mpc



5 Mpc



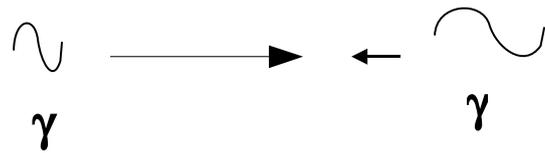
5 Mpc



5 Mpc

(ignore secondary particles)

$$E_\gamma = 10^{19} \text{ eV}, \quad E_\gamma^{bg} = 10^{-3} \text{ eV}$$



$$(s = 4 \times 10^4, \quad \frac{E_e}{E_\gamma} \approx 0.99)$$

$$E_e = 10^{19} \text{ eV}, \quad E_\gamma^{bg} = 10^{-3} \text{ eV}$$



$$(b = 1 \times 10^5, \quad \frac{E_\gamma}{E_e} \approx 0.99)$$

So the high energy particle simply changes from a neutral to charged state and back spending roughly equal times in each state.

Andrew Taylor

# The Spanner in the Works

However, with the radio background with -

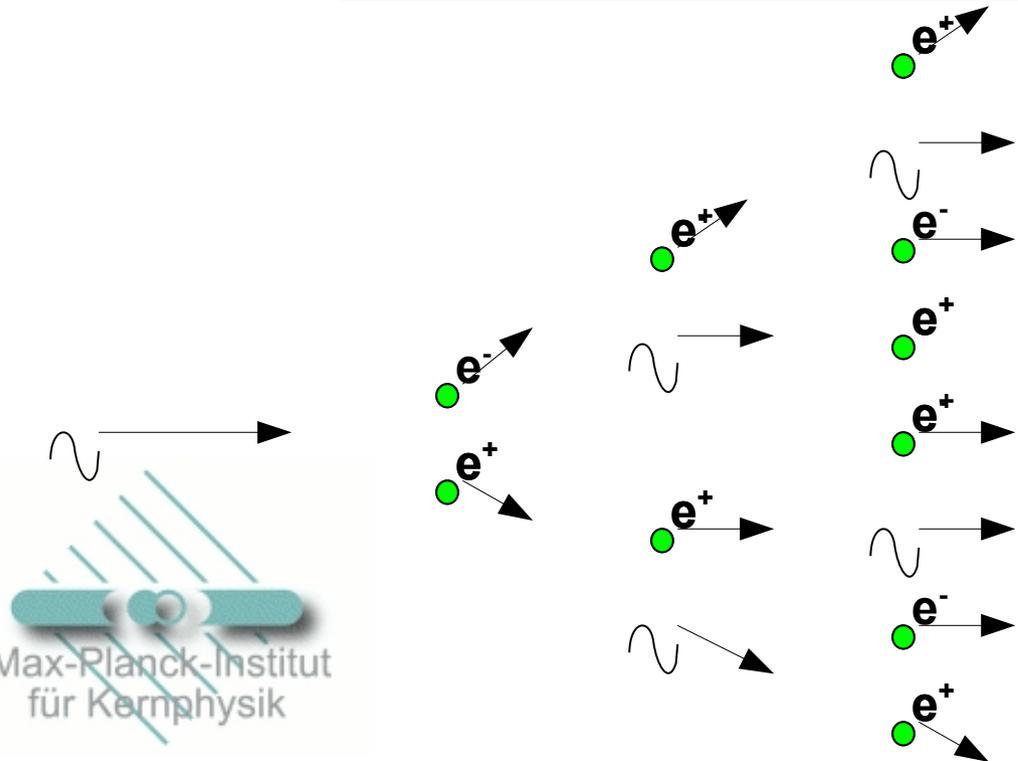
$$E_\gamma^{bg} = 10^{-8} \text{ eV} \quad \longrightarrow \quad U_\gamma^{CRB} = 10^{-8} \text{ eV cm}^{-3}$$



**If,**  $E_e = 10^{19} \text{ eV}, \Gamma = 2 \times 10^{13}$

**Then,**

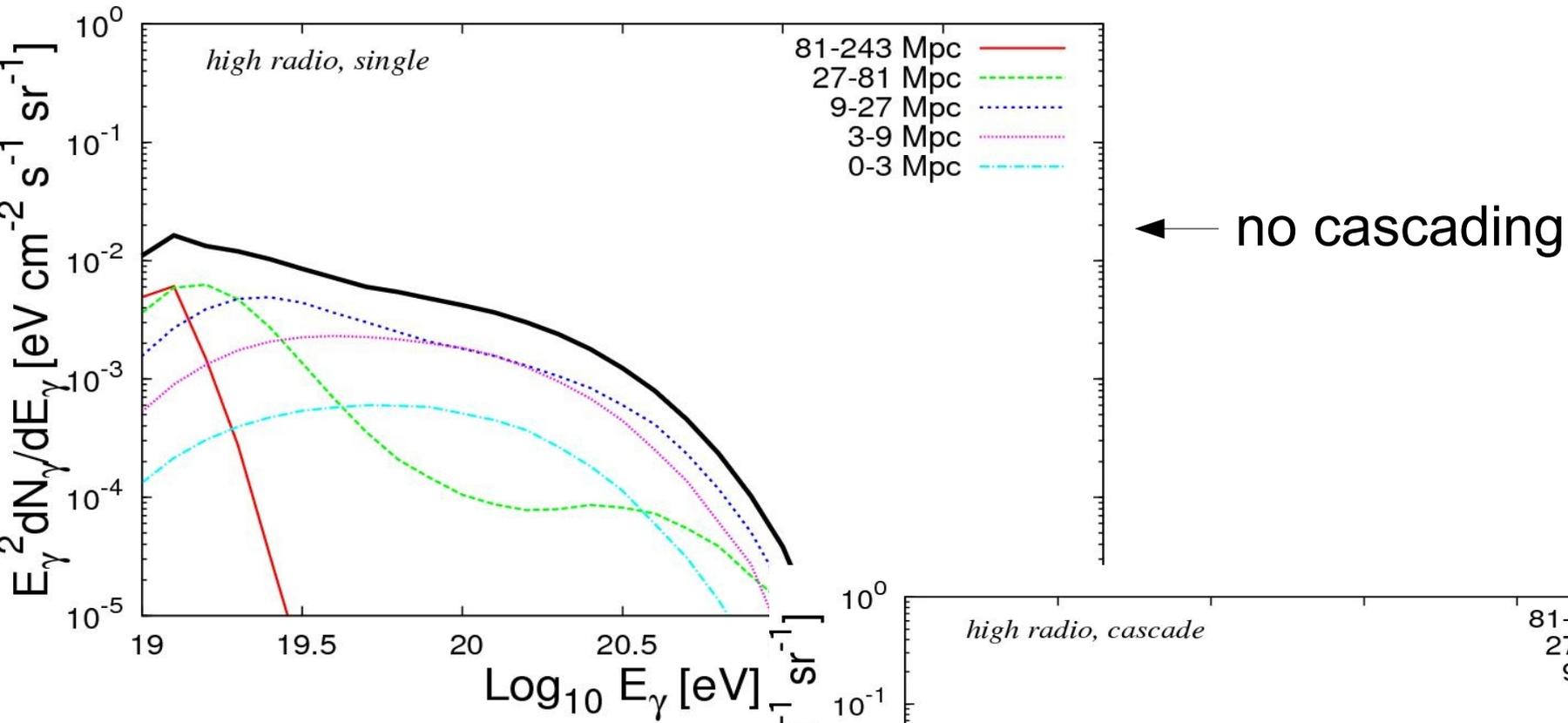
$$\Gamma E_\gamma^{bg} = 2 \times 10^5 \text{ eV} \quad \longrightarrow \quad \sim \text{Thomson}$$



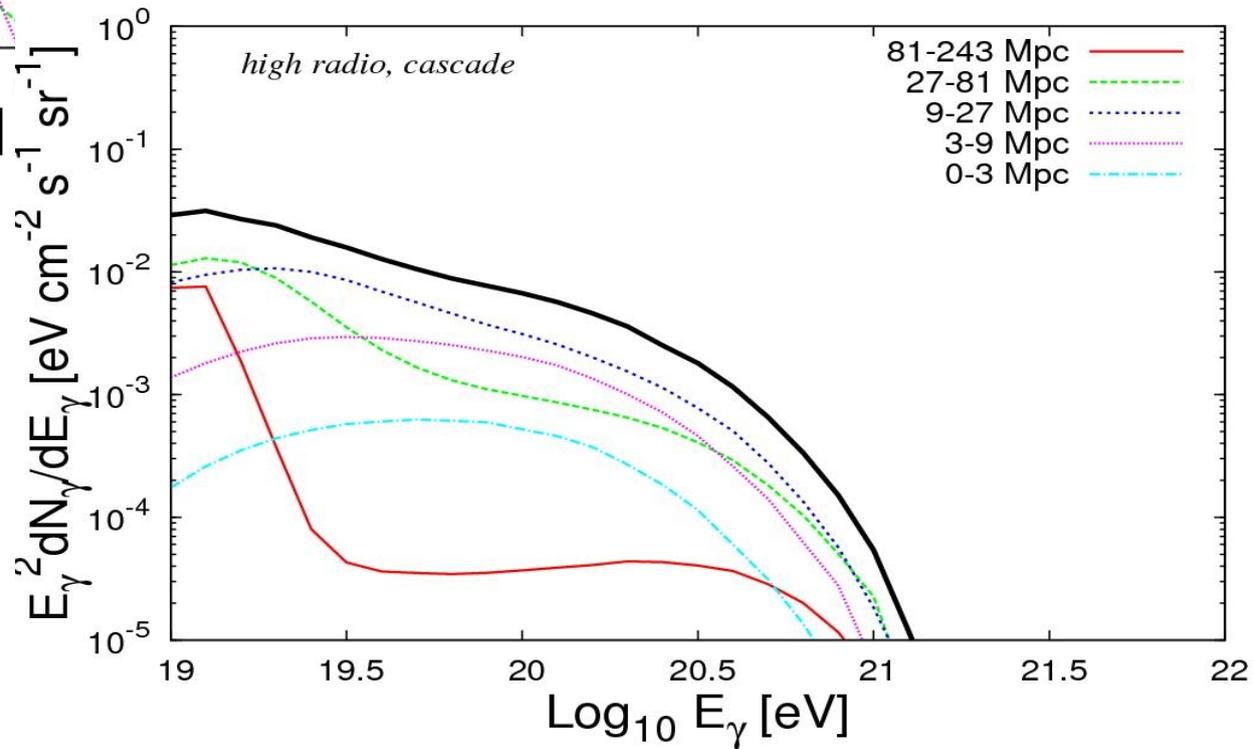
new particles **cannot** be ignored- particle multiplication headache!

Andrew Taylor

# The Photon Flux- with cascading



with cascading →



# Conclusion

- High energy photon production is an inevitable consequence of the GZK cut-off's existence
- The present uncertainty in the radio background and extragalactic magnetic field strengths lead to various possibilities for the propagation of the electromagnetic energy through the system
- If the radio background and extragalactic magnetic field are low, a simple leading particle description with the particle alternating between neutral and charged states may be used
- The radio background provides low energy photons, prematurely putting the cascade into the Thomson regime

# The Photon Fraction- data

