

Bunch length measurements at BC2 using coherent far-infrared radiation

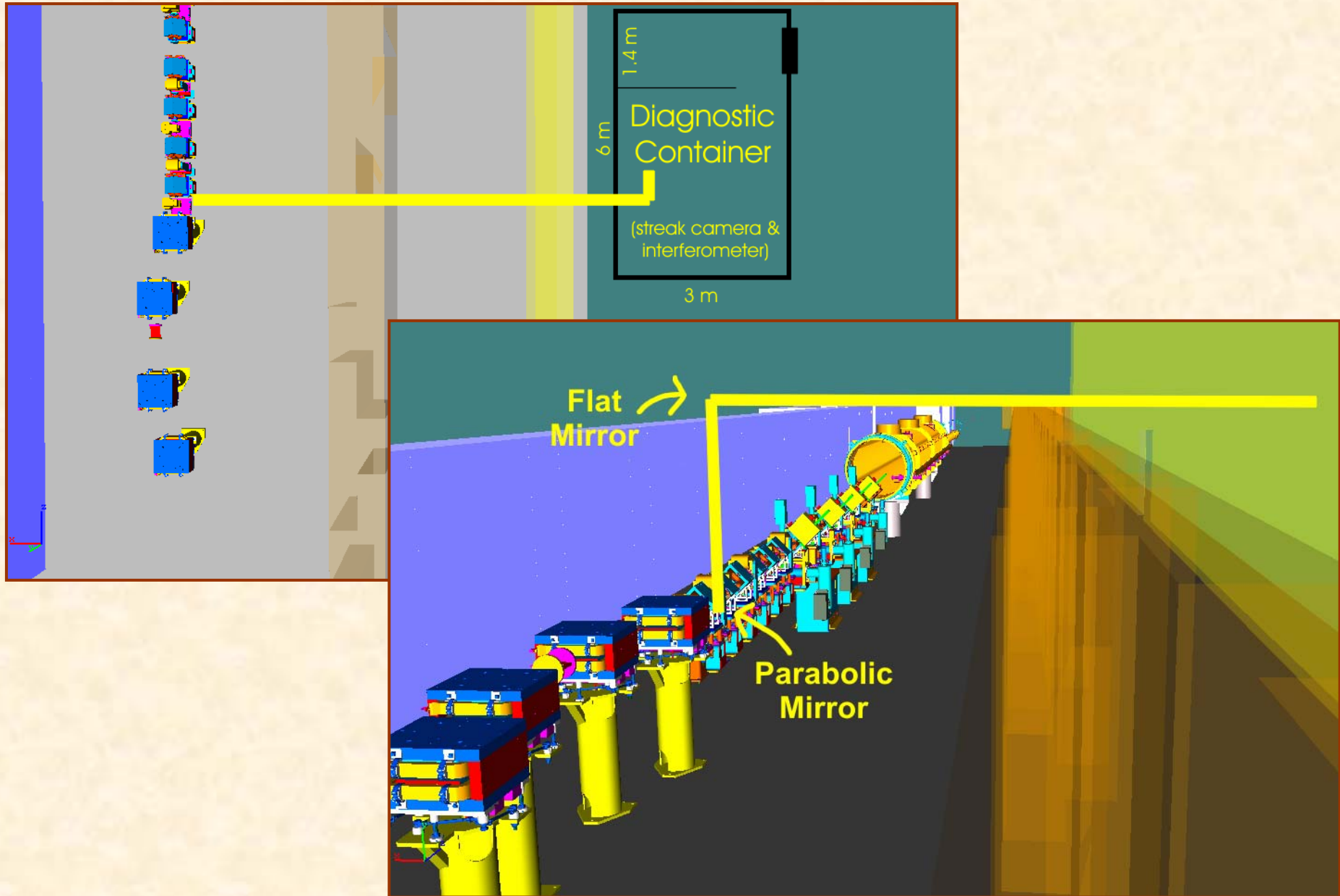
TESLA Collaboration Meeting

DESY Zeuthen 21-23/1/2004

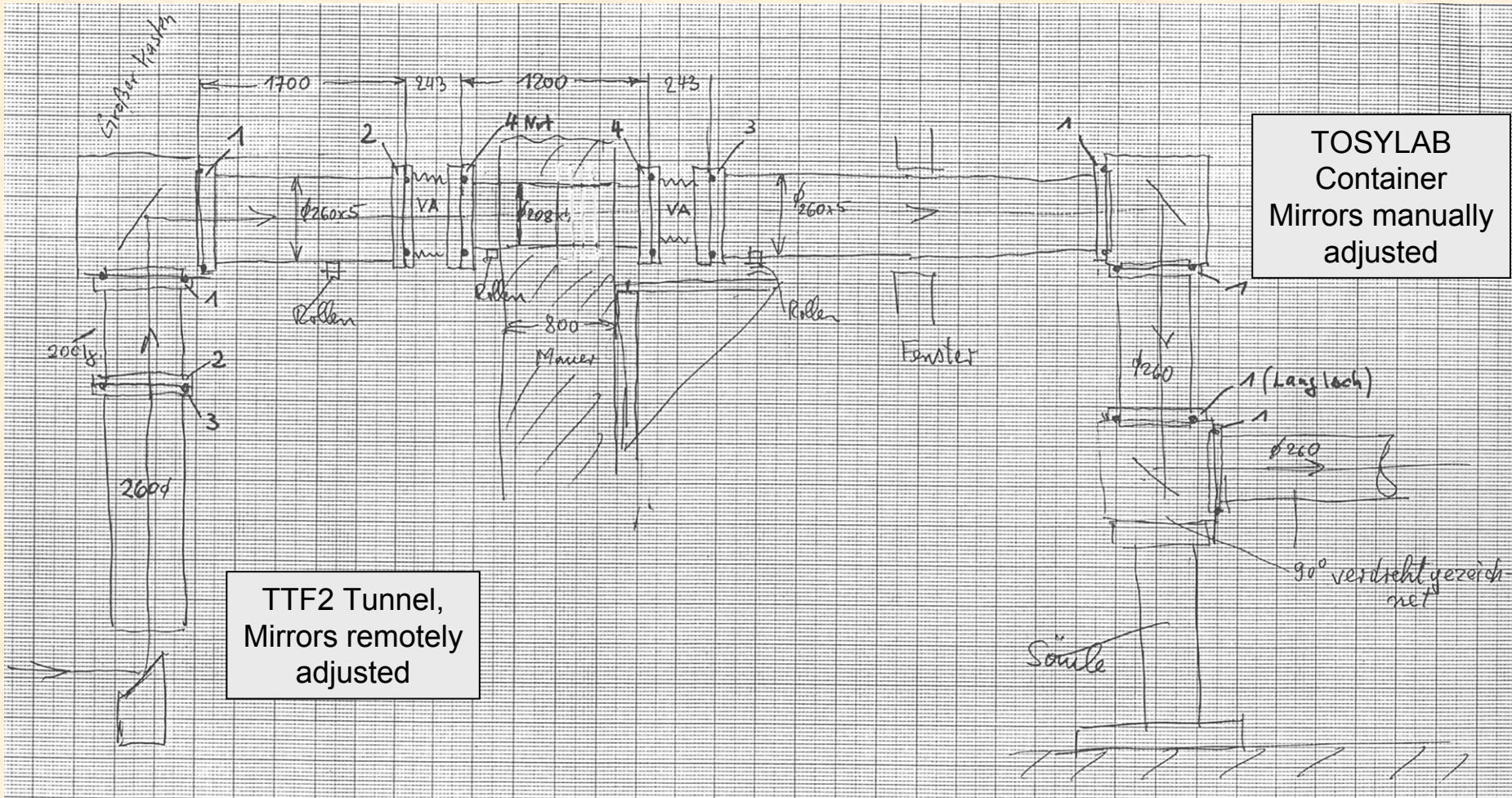
Oliver Grimm

1. Status of beam line at BC2
2. Some illustrations of expected spectra

Layout of BC2 Infrared & Optical Beam Line



Design of Beam Line



Beam pipes $\text{Ø}260 \times 5$, over radiation protection wall $\text{Ø}208 \times 4$.
 Projected sizes: Parabolic mirror $\text{Ø}100$, first flat mirror $\text{Ø}177$,
 remaining mirrors $\text{Ø}108$.

Features of Beam Line

- Prepared for **Nitrogen flushing** (probably from TOSYLAB to tunnel)
- Interferometer will also be included in Nitrogen shield
- *Partly* prepared for later **evacuation to fore-vacuum**

- Parabolic mirror mounted on rotation stage (remote controlled, to facilitate adjustment and to compensate offsets from nominal electron beam trajectory)
- Parabolic mirror focus can be moved by +5 cm/-2 cm (manually)

- Large flat mirror angle adjustable (remotely)
- Small flat mirror angles in container manually adjustable (can also be moved within their planes)

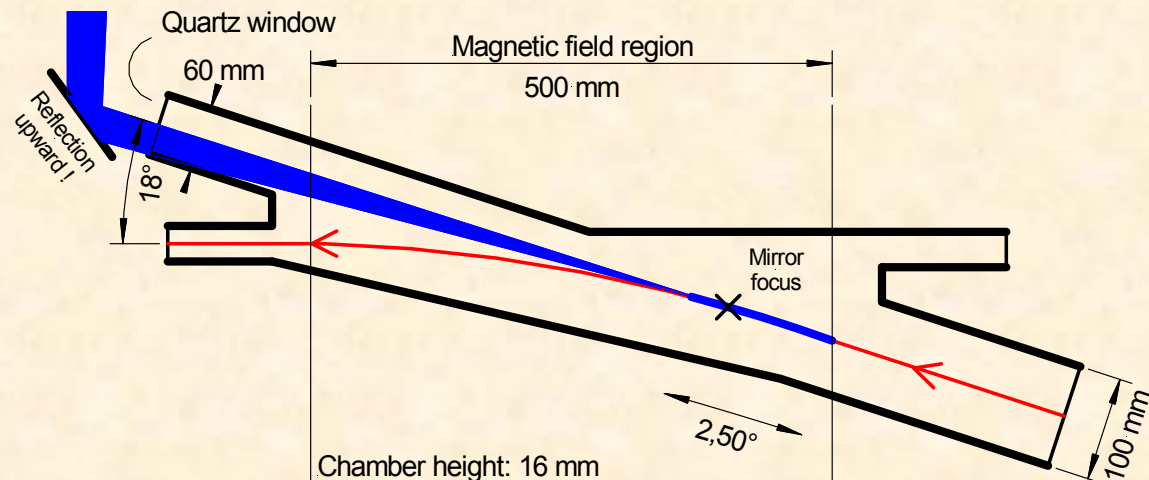
- Crystalline Quartz window (z-cut, clear aperture \varnothing 60 mm)

Mirror parameters

- Parabolic mirror: \varnothing 100 mm projected, Aluminium, 8λ , better at centre
- Large flat mirror: \varnothing 250 mm, Aluminium, 1λ
- Small flat mirrors: \varnothing 152.4 mm, Aluminium coating, $\lambda/5$

Adjustment of mirrors

- Parabolic mirror focal point initially set to 5 cm from beginning of bending arc (not critical to the millimetre level)
- Laser beam guided backwards vertically down on parabolic mirror. Verticality adjusted with mechanical marks.
- Expanded laser beam (\varnothing 50 mm) used to check focal point
- Height and orientation of rotation plane adjusted to nominal beam plane using several marks by survey department on the tunnel wall and by turning of the parabolic mirror
- Optimum angular position of parabolic mirror determined by maximizing signal in operation, flat mirror adjustment with optical synchrotron radiation



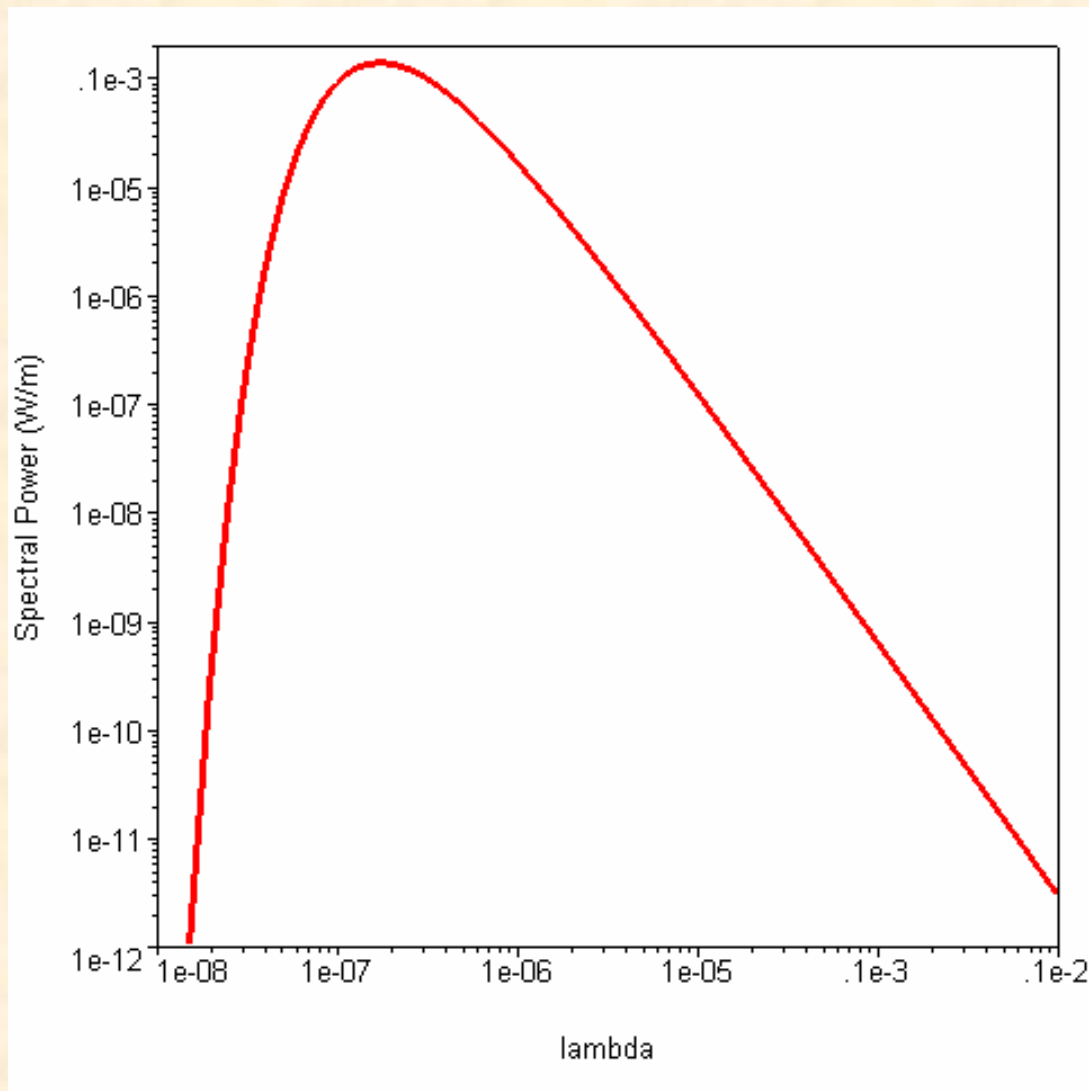
Status of beam line construction

- Double I-beam carrier system ready
- Aluminium beam pipes in hand (Ø260 black anodized, Ø208 grey anodized, will be painted black)
- Mirror chamber parts, flanges etc. currently machined or already in hand (will be black anodized or painted as far as practical)
- Carrier system including large mirror chamber planned to be installed **first week of February** (or later if closing of tunnel roof is delayed)
- Remaining components **mid February**
- Small flat mirrors in hand
- Delivery of **parabolic** and **large flat mirror beginning of March (??)** (company tries to deliver earlier)
- Construction by **Otto Peters**, Manufacturing supervised by **Mathias Böttcher** (ZM31)

Some components



Spectrum of incoherent synchrotron radiation at BC2



- R=1.6 m (130 MeV, 18°, 0.27 T)
- Single electron, circular motion

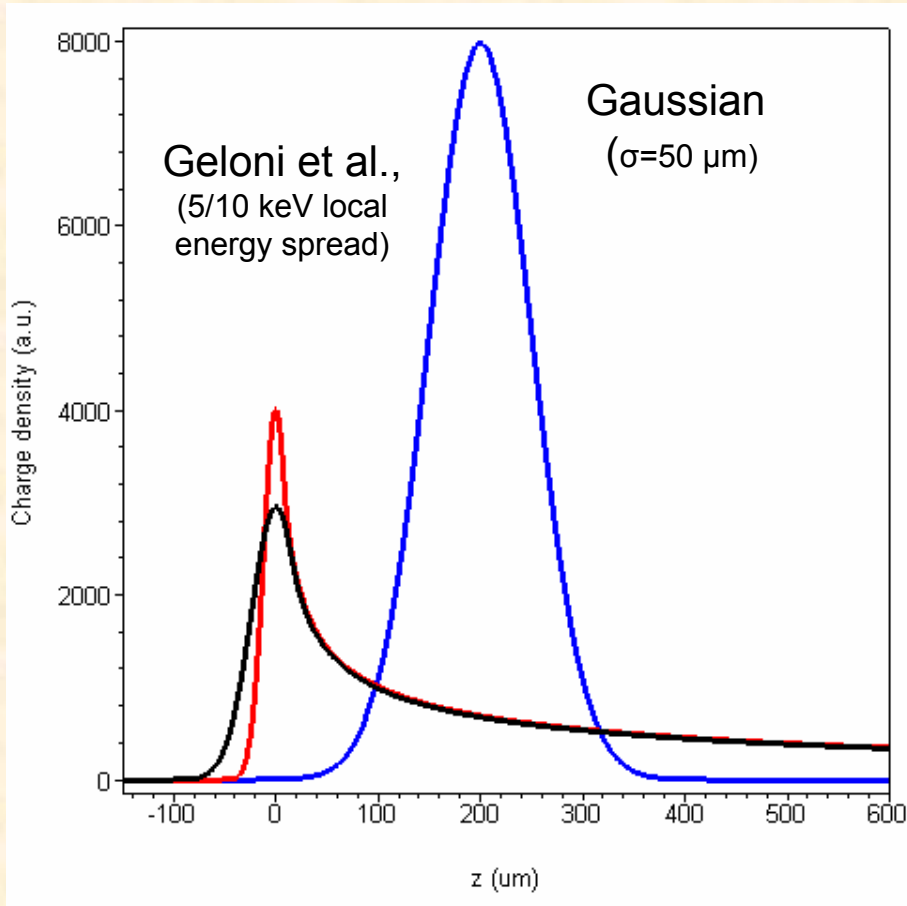
$$\left(\frac{dP}{d\lambda}\right)_0 = \frac{\sqrt{3}e^2c}{4\pi\epsilon_0} \frac{\gamma\lambda_c}{R\lambda^3} \int_{\lambda_c/\lambda}^{\infty} \mathbf{K}_{5/3}(x)dx,$$

$$\lambda_c = \frac{4\pi R}{3\gamma^3}$$

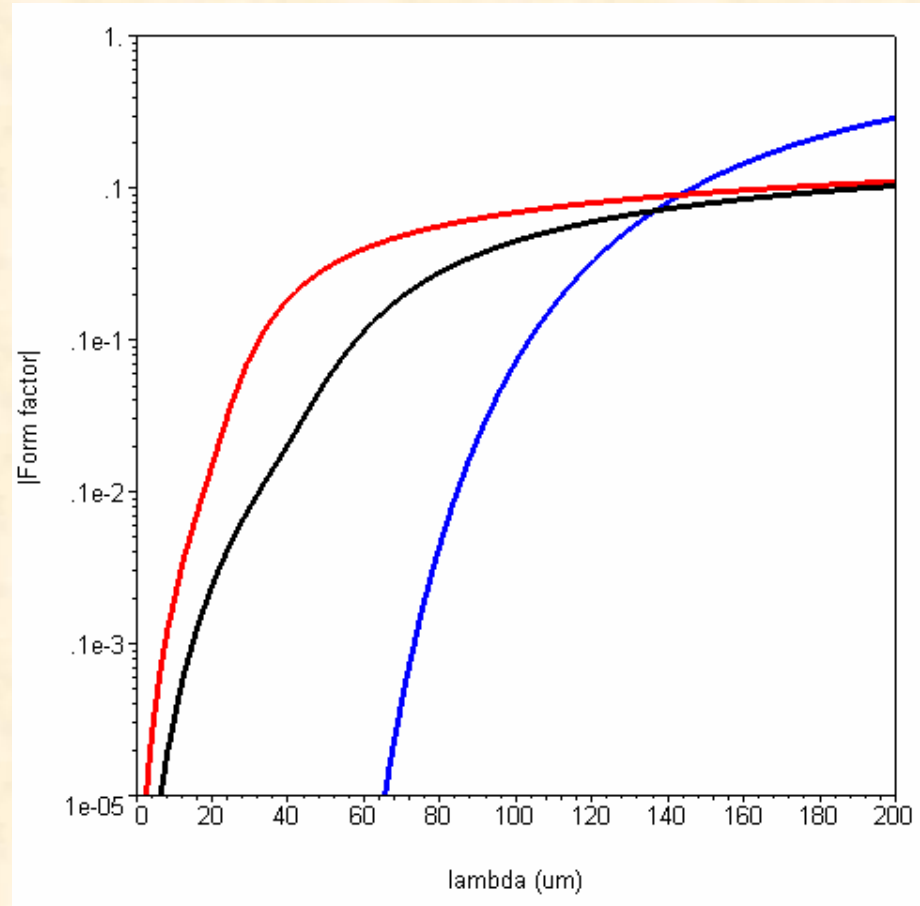
Bunch form factor (1-dimensional)

$$F(\lambda) = \int e^{2\pi iz/\lambda} NS(z) dz, \quad \lim_{\lambda \rightarrow \infty} |F(\lambda)| = 1, \quad \lim_{\lambda \rightarrow 0} |F(\lambda)| = 0$$

Longitudinal bunch shape $S(z)$

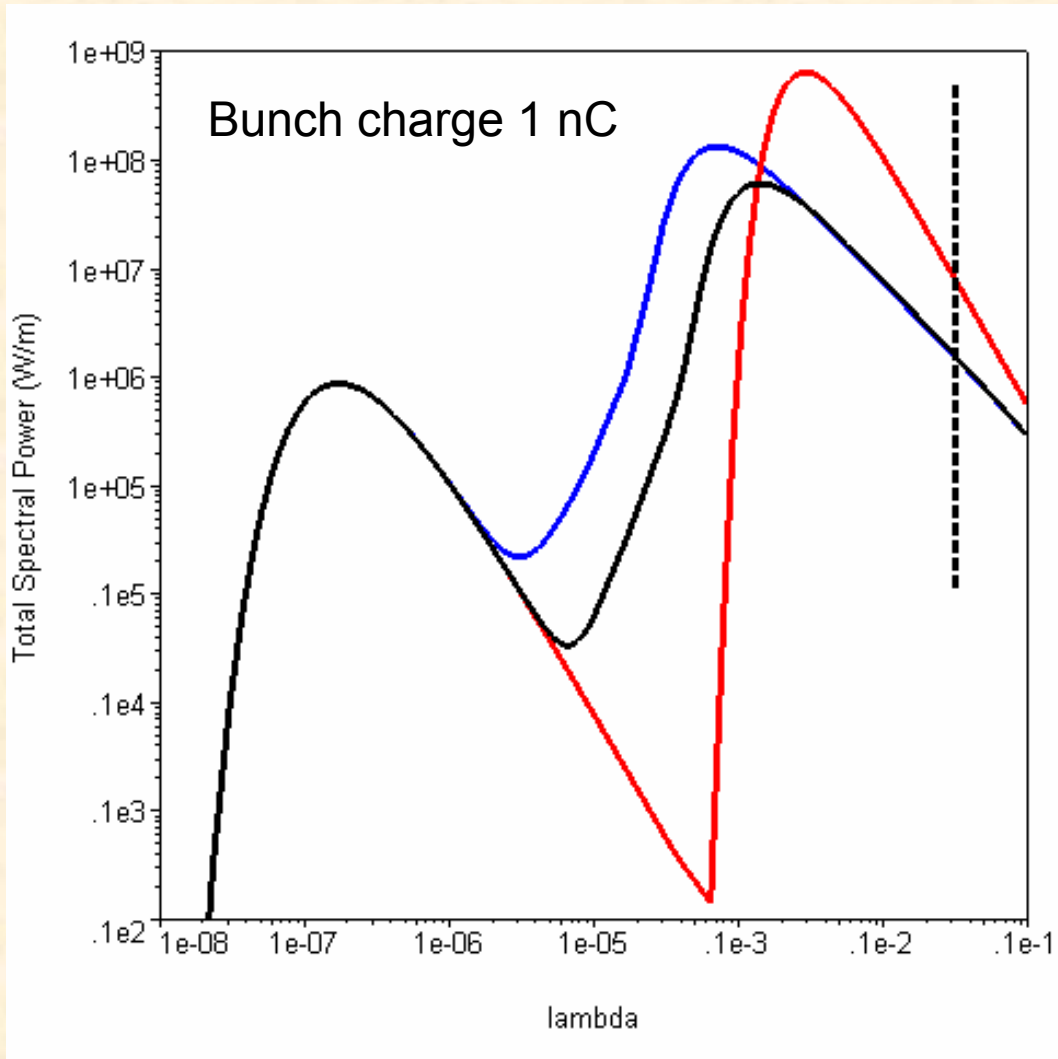


Absolute value of form factor



see: G. Geloni et al., DESY 03-031 (March 2003)

Resulting total synchrotron radiation spectrum

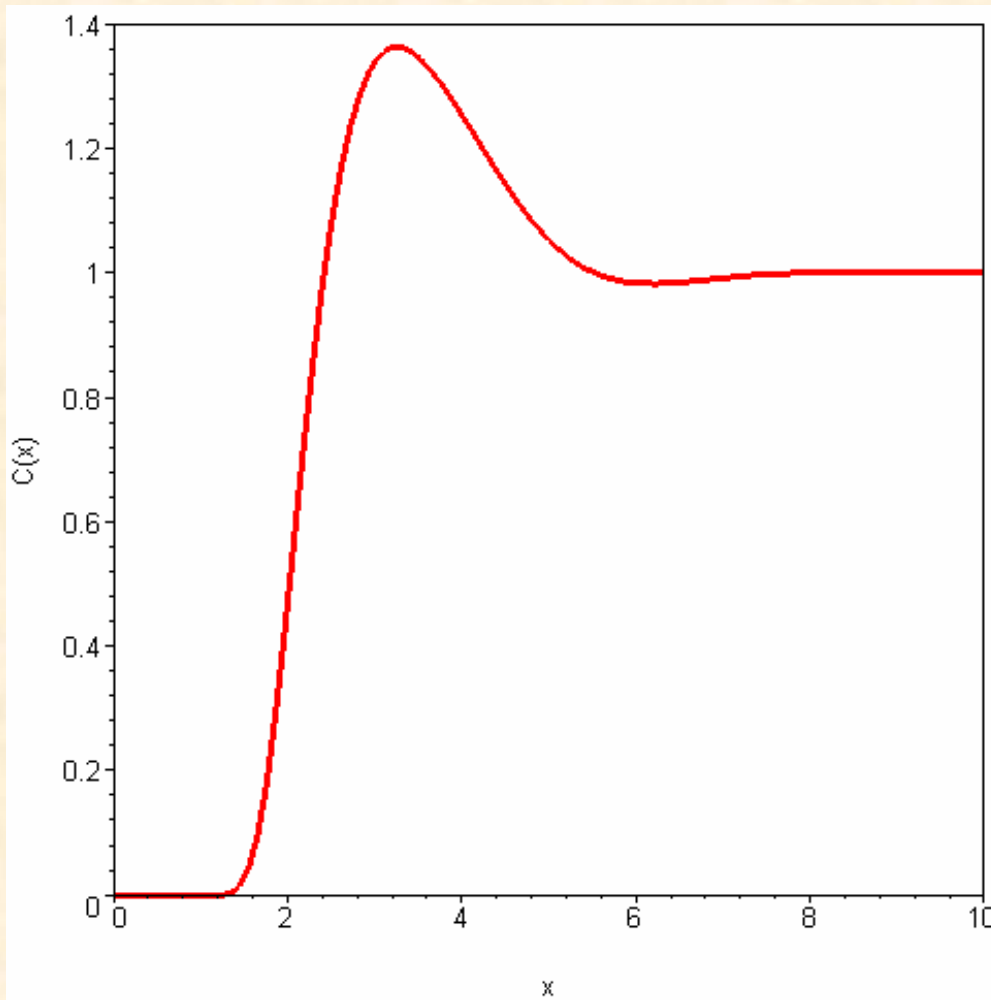


$$\left(\frac{dP}{d\lambda}\right)_{\text{total}} = \left(\frac{dP}{d\lambda}\right)_0 \cdot \left(N + N(N-1)|F(\lambda)|^2\right)$$

,Typical' chamber cut-off for 16 mm vacuum chamber height (see, e.g., R.L. Warnock, SLAC-PUB-5375 (November 1990))

$$\lambda_{\text{cut}} = 2h\sqrt{\frac{h}{R}} \approx 3.2 \text{ mm}$$

Chamber cut-off function

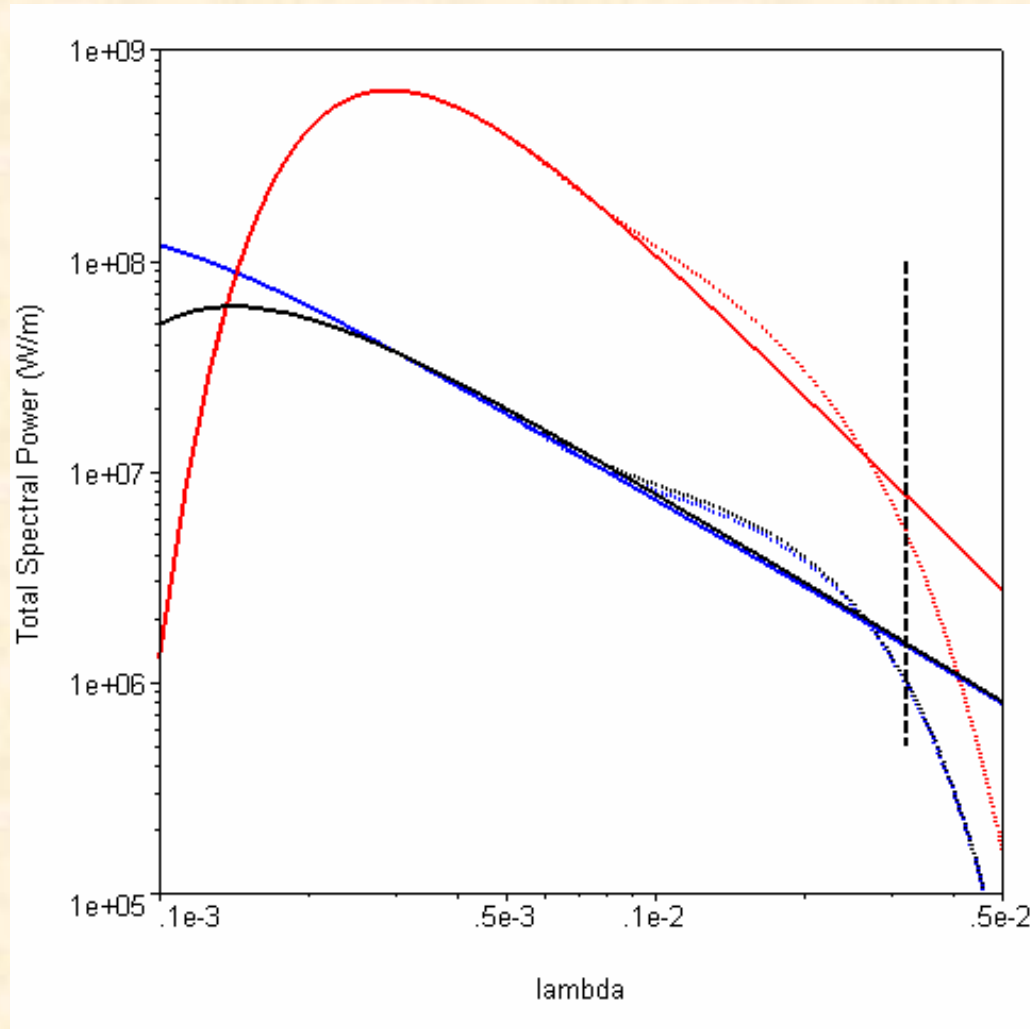


Calculated for circular, ultra-relativistic motion with bending radius R in a vacuum chamber of height h with infinite, perfectly conducting chamber walls.

$$x = h \cdot \sqrt[3]{\frac{(2\pi)^2}{\lambda^2 R}}$$

from: M. Dohlus, T. Limberg, Nucl.Instr.Meth. **A407**, 278(1998)

Total synchrotron radiation spectrum including chamber cut-off



- Existing Martin-Puplett Interferometer: (0.1–few(?)) mm
- Absolute power hard (impossible?) to measure, need to rely on *shape*
- Finite magnetic field (edge effects) not taken into account
- Beam transport line needs to be accounted for (GLAD?)

1. Need to access **shorter wavelengths**
2. Full, **independent bunch shape reconstruction** (Kramers-Kronig analysis) certainly **difficult**