

# Physics Needs for the Forward Region

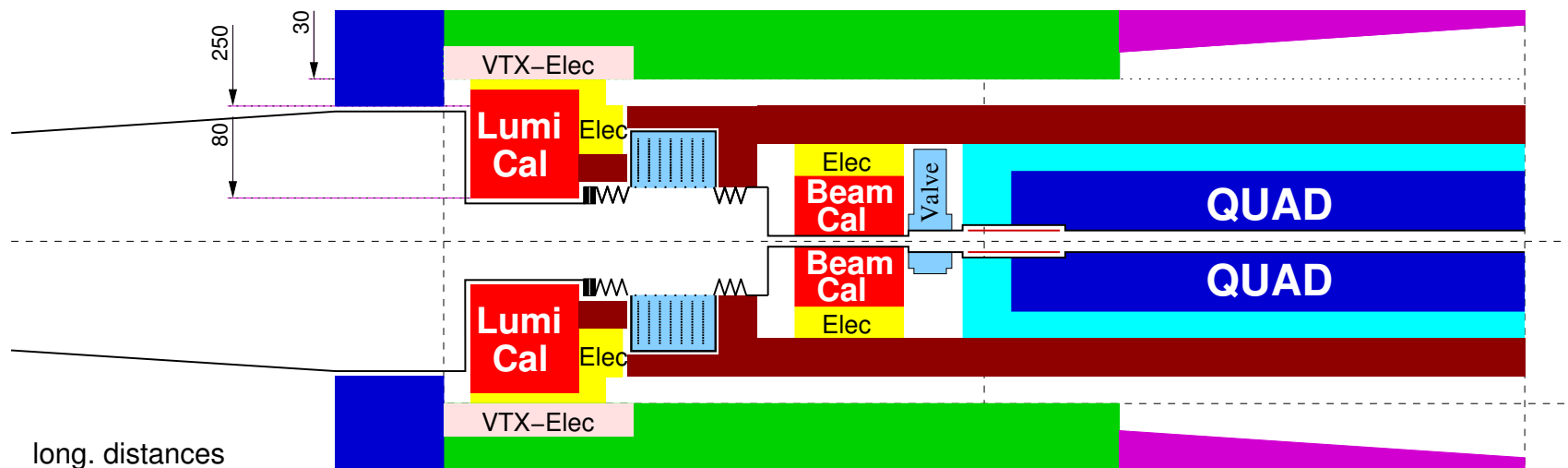
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# Introduction

Forward region detectors serve two purposes:

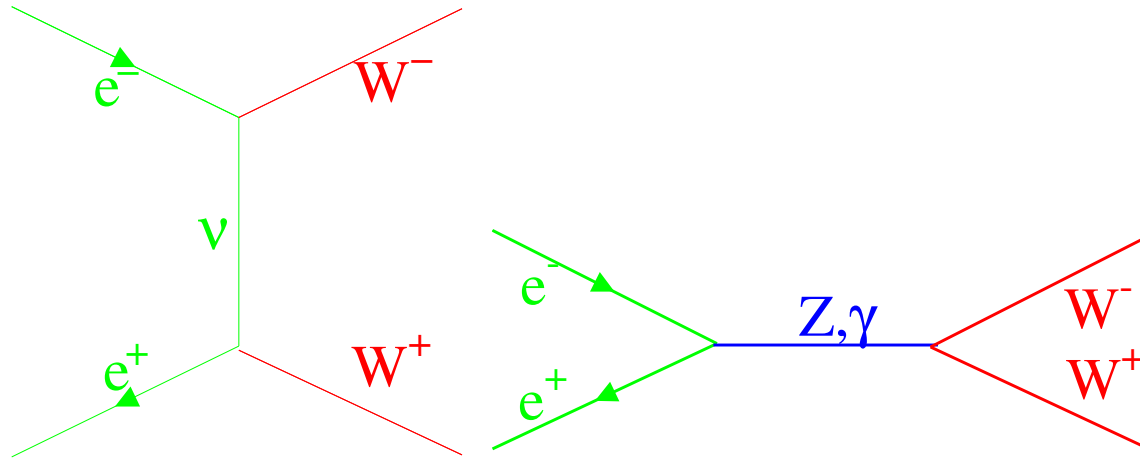
- **Hermeticity:** Increase acceptance down to lowest possible angles. Mainly relevant for vetoing  $\gamma\gamma$  induced  $e^+e^- \rightarrow e^+e^-X$  events. Beamcal and Lumical are important
- **Precision luminosity measurement:** Bhabha scattering in the forward region. Extremely good control of systematics required. Only Lumical is relevant.





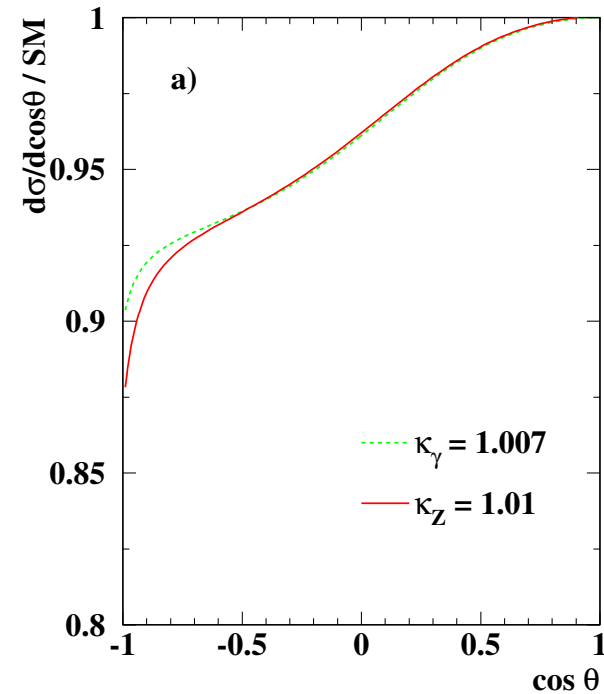
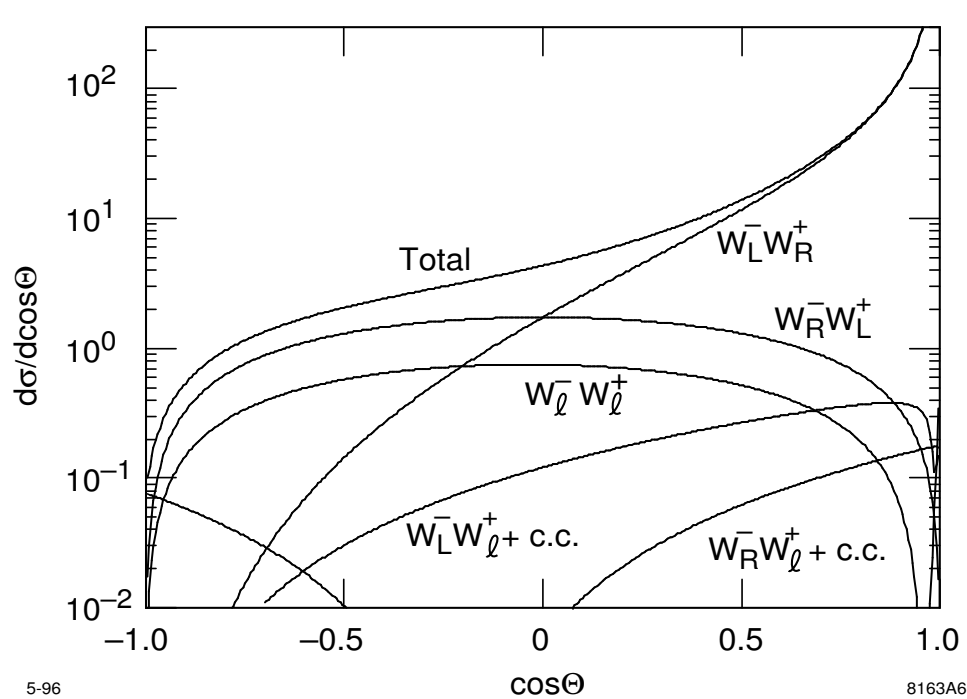
$$\underline{e^+e^- \rightarrow W^+W^-}$$

W-pair production from  $\nu$  t-channel and Z, $\gamma$  s-channel exchange



Cross section strongly forward peaked

However forward peak independent on anomalous couplings



Normalisation in TGC fits can be obtained internally

Luminosity measurement only interesting for anomalous  $e\nu W$  couplings

$$\underline{e^+e^- \rightarrow f\bar{f}}$$

$e^+e^- \rightarrow f\bar{f}$  is sensitive to physics at very high scales (compositeness,  $Z'$ , extra space dimensions)

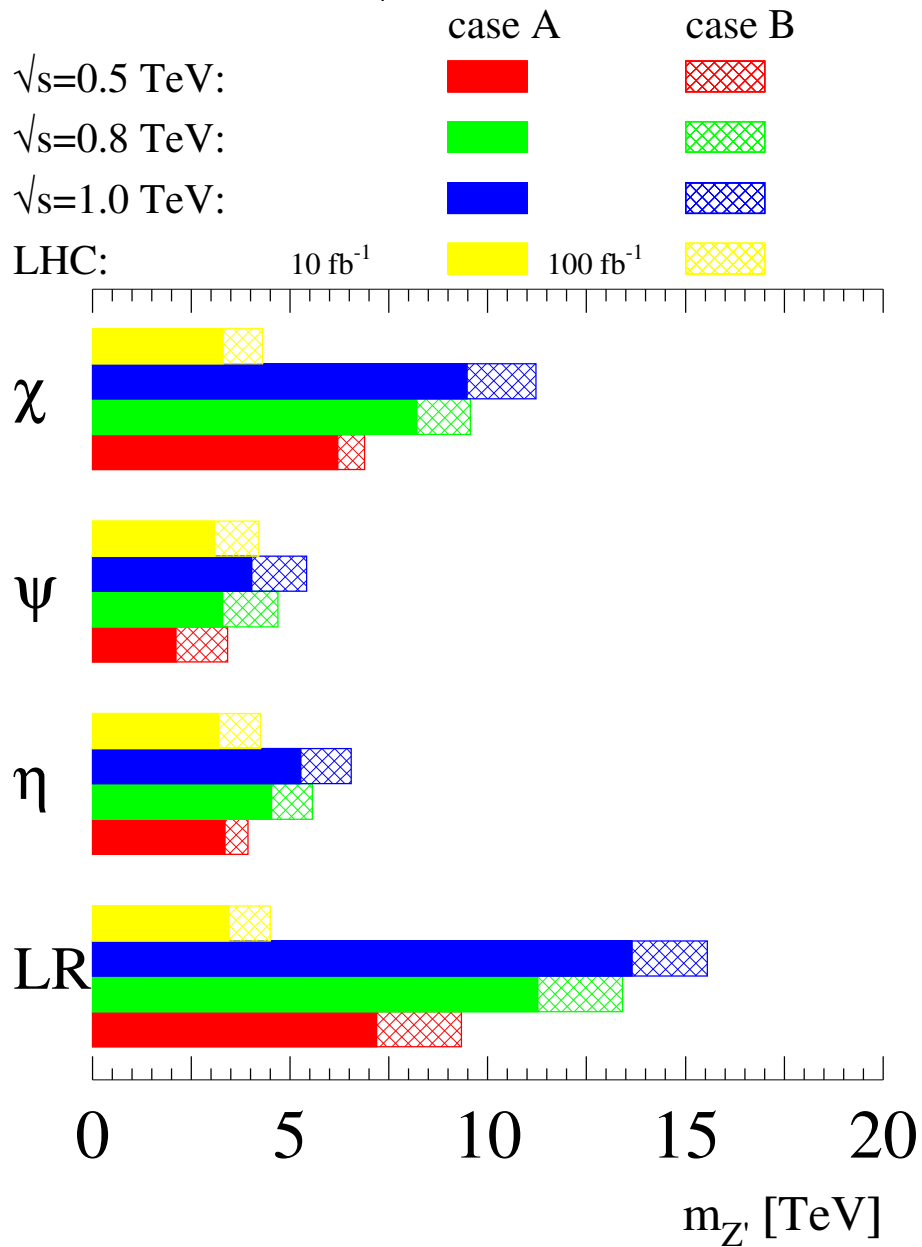
Sensitivity is mainly via interference with Standard Model amplitude  
 $\Rightarrow \propto 1/M^2$

All observables (cross section, left-right asymmetry, forward-backward asymmetry) are important

Systematic errors (e.g. luminosity) effect results significantly



$L=1 \text{ ab}^{-1}$ ,  $P_- = 0.8$ ,  $P_+ = 0.6$



Case A:

$$\Delta\mathcal{P} = 1\%$$

$$\Delta\mathcal{L} = 0.5\%$$

$$\Delta\varepsilon_l = 0.5\%$$

$$\Delta\varepsilon_{had} = 0.5\%$$

Case B:

$$\Delta\mathcal{P} = 0.5\%$$

$$\Delta\mathcal{L} = 0.2\%$$

$$\Delta\varepsilon_l = 0.1\%$$

$$\Delta\varepsilon_{had} = 0.1\%$$

## GigaZ

GigaZ =  $10^9$  Z at  $\sqrt{s} \approx m_Z$

Main aim:  $\sin^2 \theta_{eff}^l$  determination  $\Rightarrow$  no  $\mathcal{L}$  dependence

Important additional information from “lineshape” parameters  
 $\Gamma_Z$ ,  $\sigma_0^{\text{had}}$ ,  $R_l$

Interesting information is obtained from combination of these parameters:

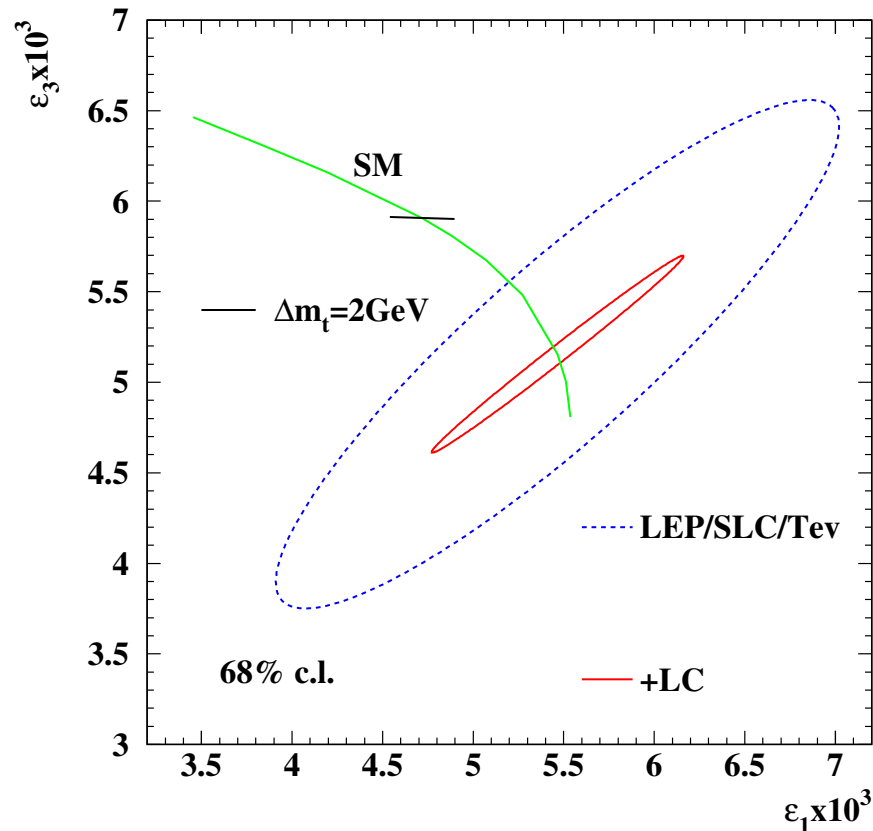
$$\sigma_0^{\text{had}} = \frac{12\pi \Gamma_e \Gamma_{\text{had}}}{m_Z \Gamma_Z^2}$$
$$R_l = \frac{\Gamma_{\text{had}}}{\Gamma_l}$$

$\Rightarrow$  need all parameters with about the same accuracy



- $\Gamma_Z$ : difficult to estimate (beam energy, beamstrahlung, beamspread)  
but  $\Delta\Gamma_Z = 1 \text{ MeV}$  ( $\Delta\Gamma_Z/\Gamma_Z = 4 \cdot 10^{-4}$ ) seems realistic
  - $R_l$ :  $\Delta R_l/R_l = 10^{-4}$  from lepton statistics
- ⇒ need lumi error (exp+theo)  $\Delta\mathcal{L}/\mathcal{L} \sim 2 \cdot 10^{-4}$

Gain of GigaZ:



## Hermeticity

Signal:  $e^+e^- \rightarrow X + p_{inv}$  with  $p(X)$  small and  $p_{inv}$  = momentum of invisible particles (e.g. LSP)

Background:  $e^+e^- \rightarrow e^+e^-Y$  with electrons lost in forward region

Maximum transverse momentum of  $Y$ :  $p_t(Y) < \sqrt{s}\theta_{veto}$

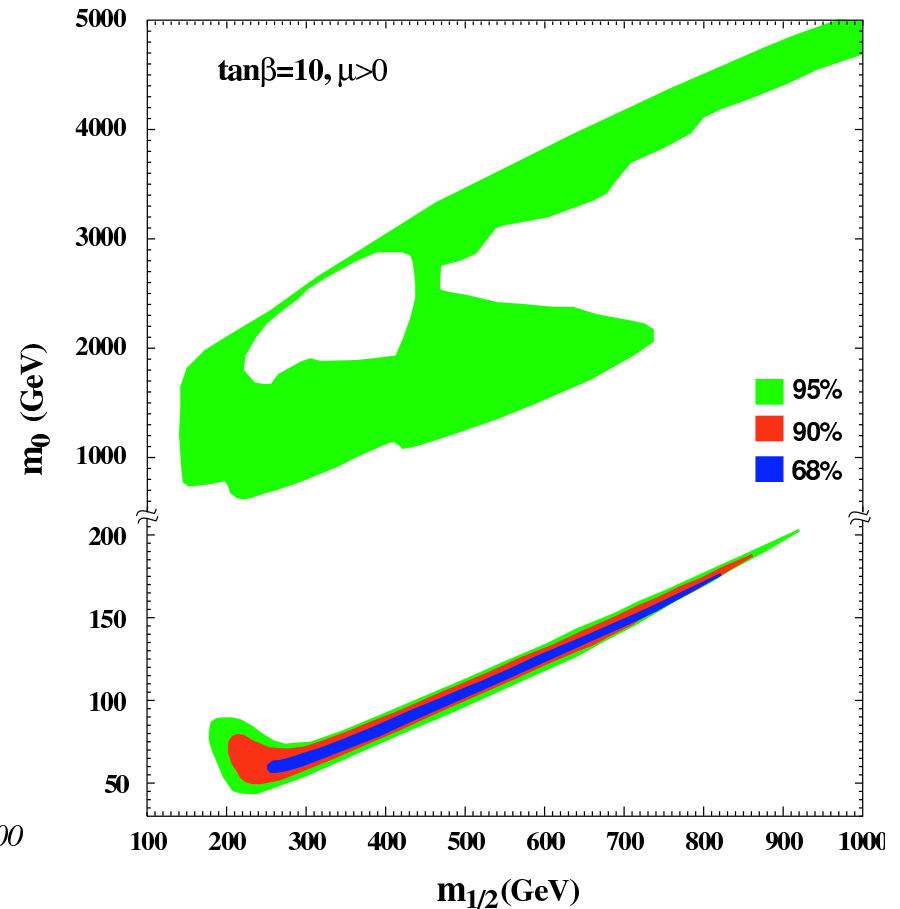
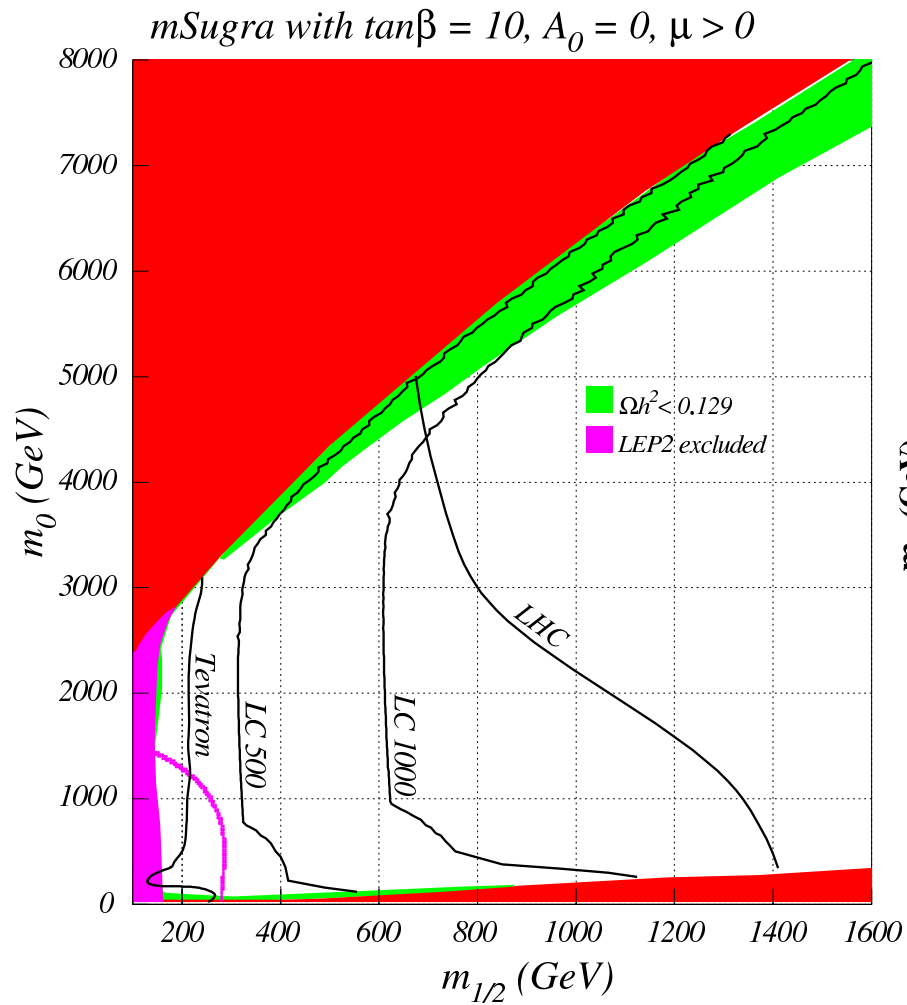
$\Rightarrow$  signal-background separation depends on  $\theta_{veto}$

Example with  $\sqrt{s} = 500$  GeV:

- no Beamcal:  $p_t(veto) = 10$  GeV
- full Beamcal:  $p_t(veto) = 1.4$  GeV

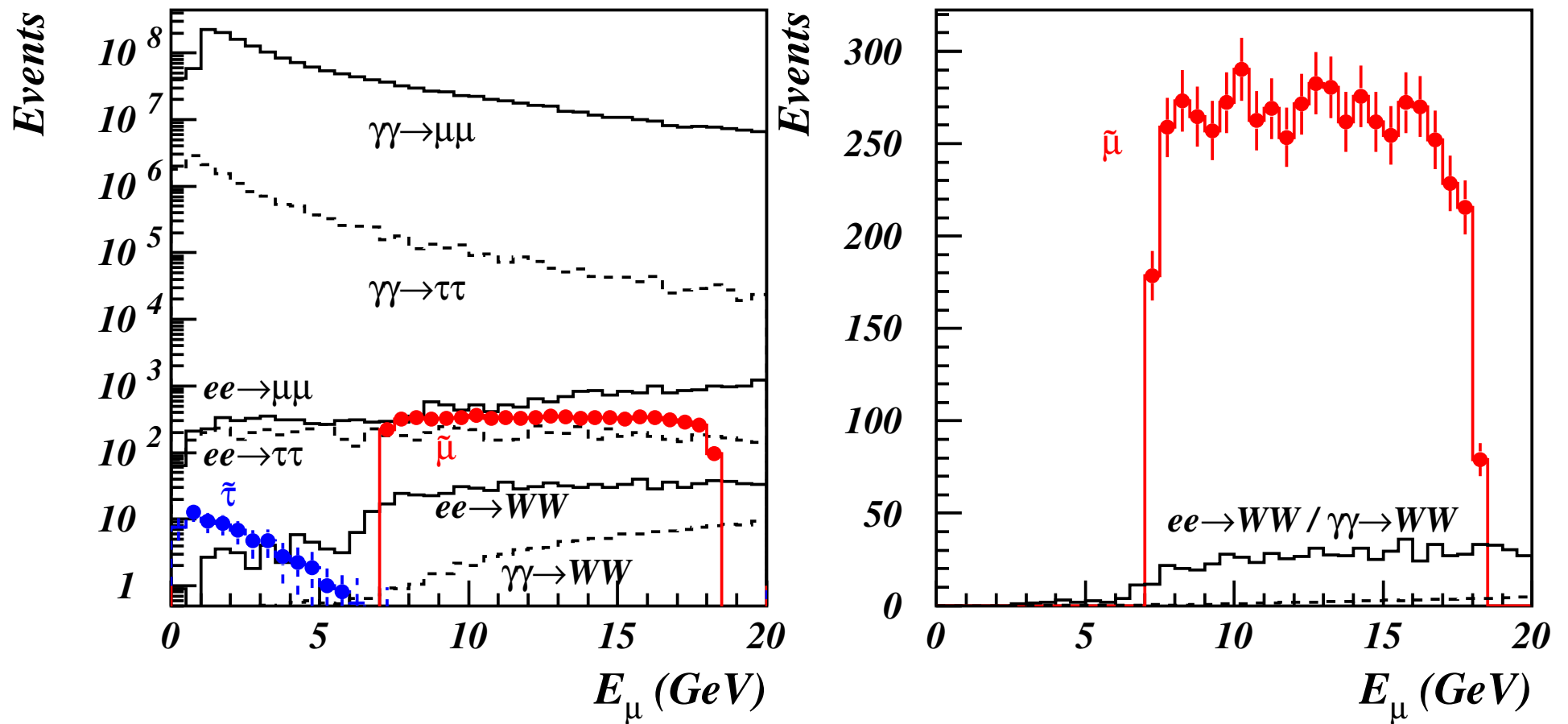
# Cosmology favours regions with small mass difference (e.g. $m_{\tilde{\tau}} - m_{\chi_1^0}$ ):

(from Bambade et al., hep-ph/0406010)

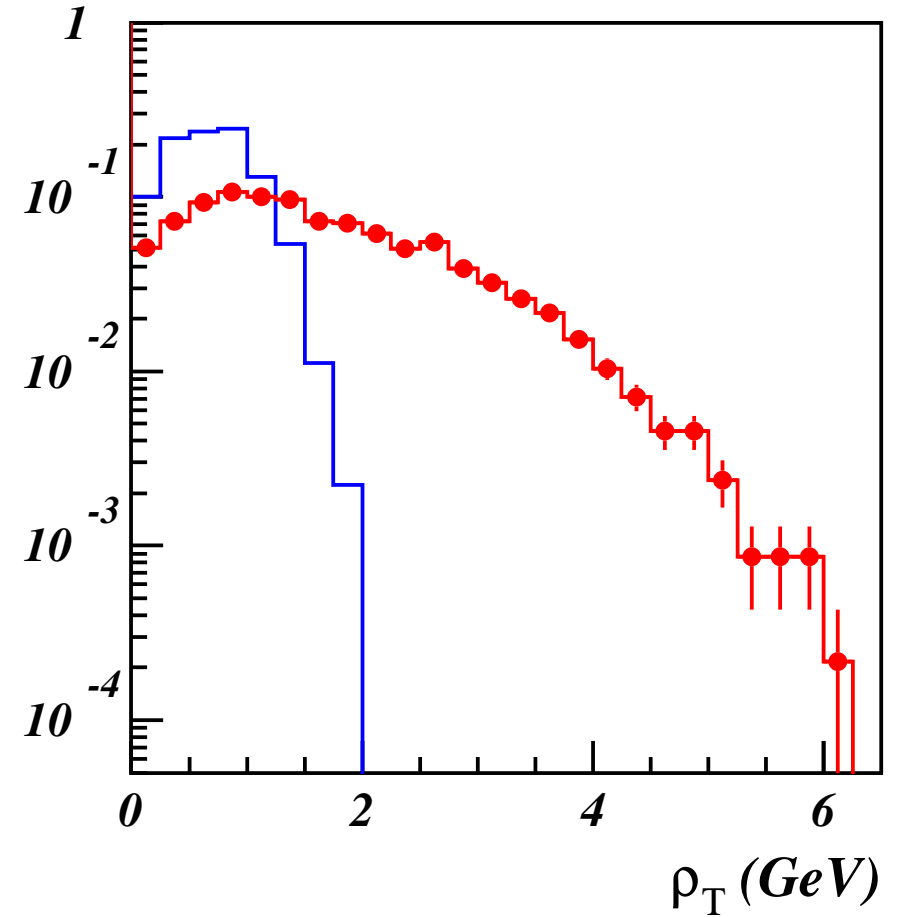
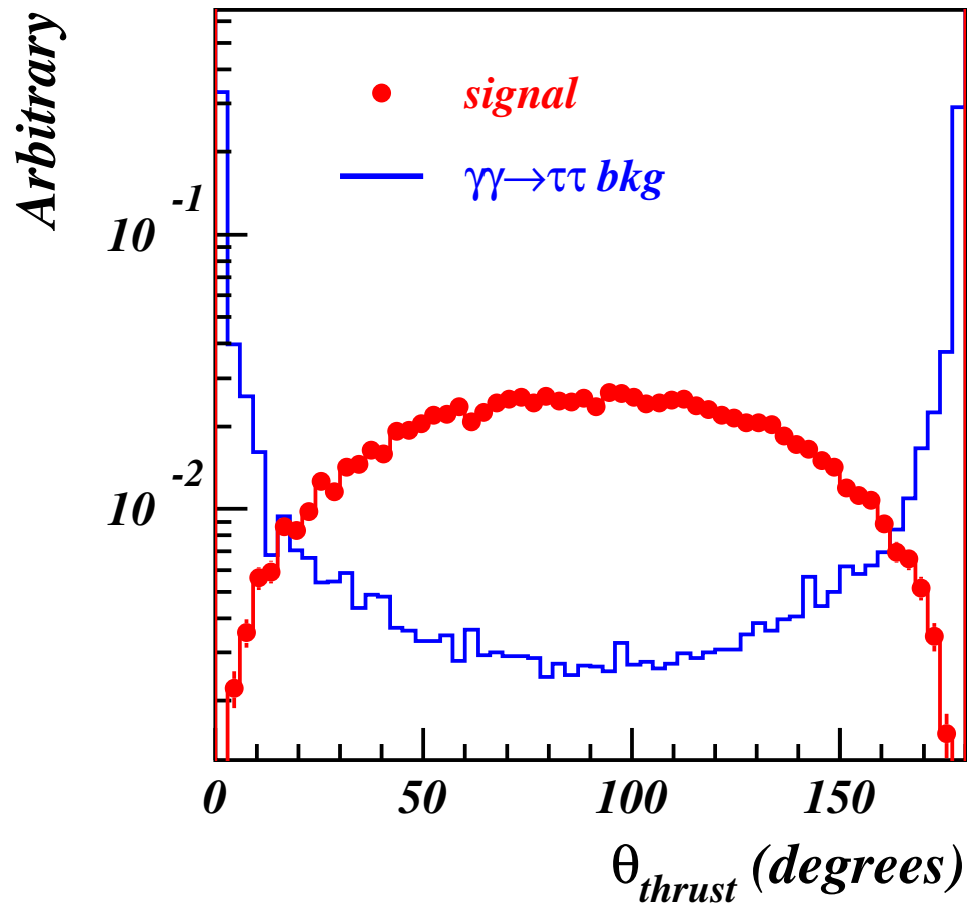


Signal:  $e^+e^- \rightarrow \tilde{\tau}^+\tilde{\tau}^- \rightarrow \tau^+\tau^-\chi_1^0\chi_1^0$  with  $\chi_1^0$  invisible and  $p(\tau)$  small.

Situation before cuts:



Situation after  $p_t$  (and some other) cuts:



Excellent hermeticity allows separation of signal and background

## Conclusions

Forward region of TESLA detector is important:

- Luminosity needs to be known on the  $10^{-4}$  level
- Excellent hermeticity allows SUSY detection in region favoured by cosmology and invisible for LHC